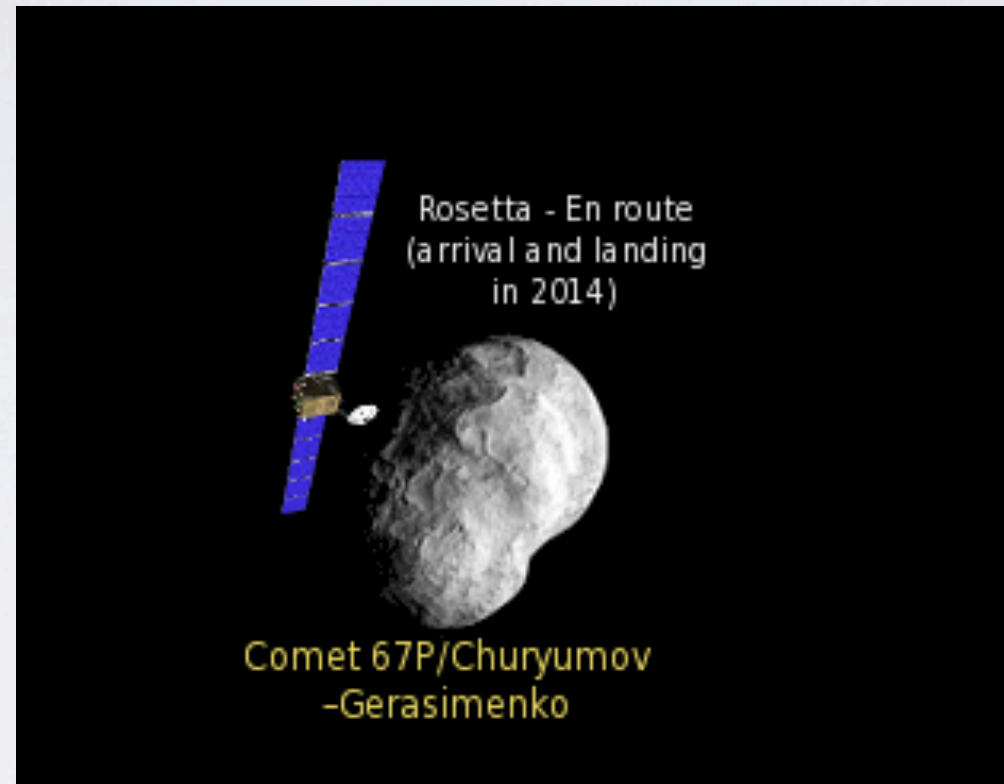


# ROSETTA LANGMUIR PROBE PERFORMANCE

Simulation of Probe Sweep in SPIS-Science

# ROSETTA



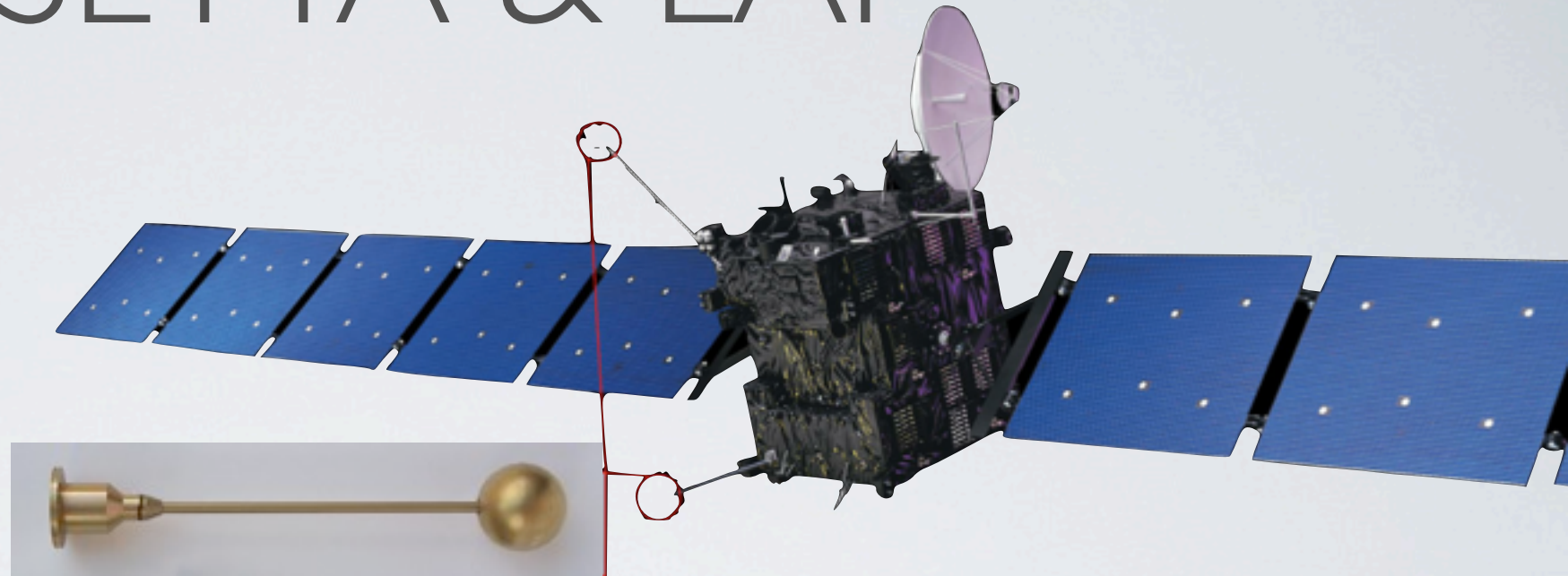
Nov: Mangalyaan Launch	Aug: Rosetta OI Churyumov-Ger.
Chang'E 3 Launch	Nov: Rosetta/Philae Ld Chu-Ger.
2014	2015
Jan: Rosetta Wake-up	Feb: Dawn OI Ceres
May: Rosetta App Churyumov-Ger.	Jul: New Horizons FB Pluto
Jul: Hayabusa 2 Launch	Aug: Bepi-Colombo Launch
Aug: ICE FB/OI? Earth	Nov: Akatsuki OI Venus

Approach; Dep: Departure;  
d: Landing; EOM: End of Mission

<http://www.planetary.org/multimedia/space-images/charts/whats-up-in-the-solar-system-frohn.html>  
<http://www.chartgeek.com/wp-content/uploads/2013/01/solar-system-exploration.png>



# ROSETTA & LAP



- Orbiter & Lander

- Langmuir Probes

- Measures spacecraft potential and plasma parameters, such as plasma density, electron temperature, and plasma flow speed

- Mounted on two booms of different length

Langmuir Probe onboard Rosetta

image credit:  
A. Eriksson, IRFU & ESA

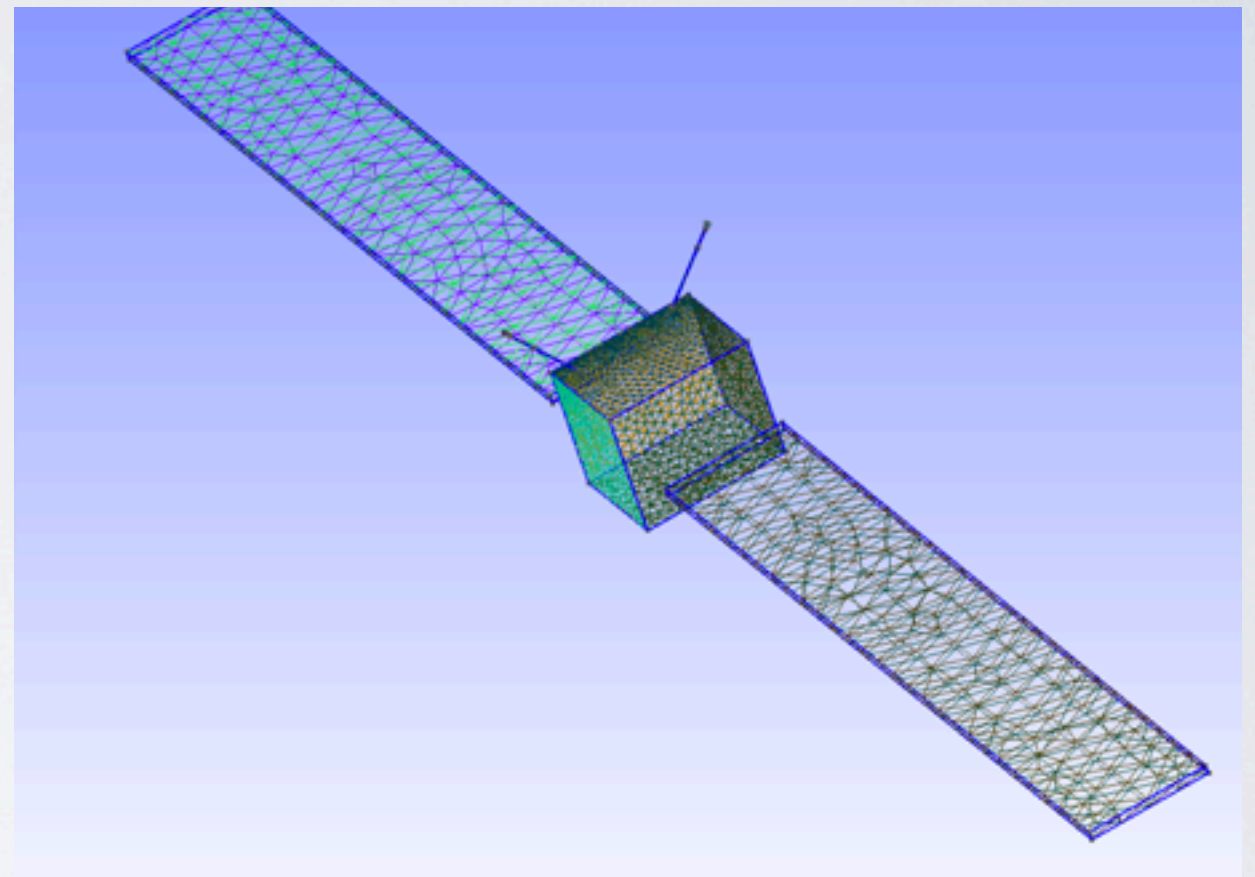
# OBJECTIVE

- Understand and interpret Langmuir probe sweep results on Rosetta by simulating probe sweep in SPIS-SCI.
- Validate results by comparison to previous work and real data.
- Model the solar angle dependence on probe sweep results



# SPIS-SCIENCE

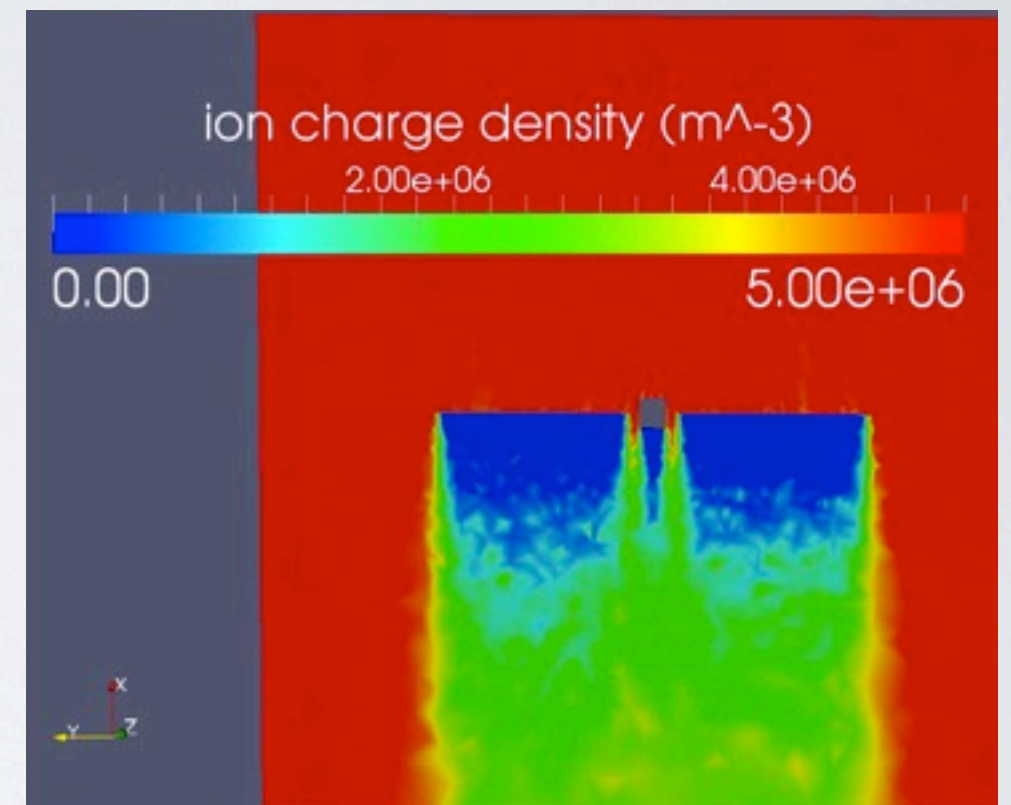
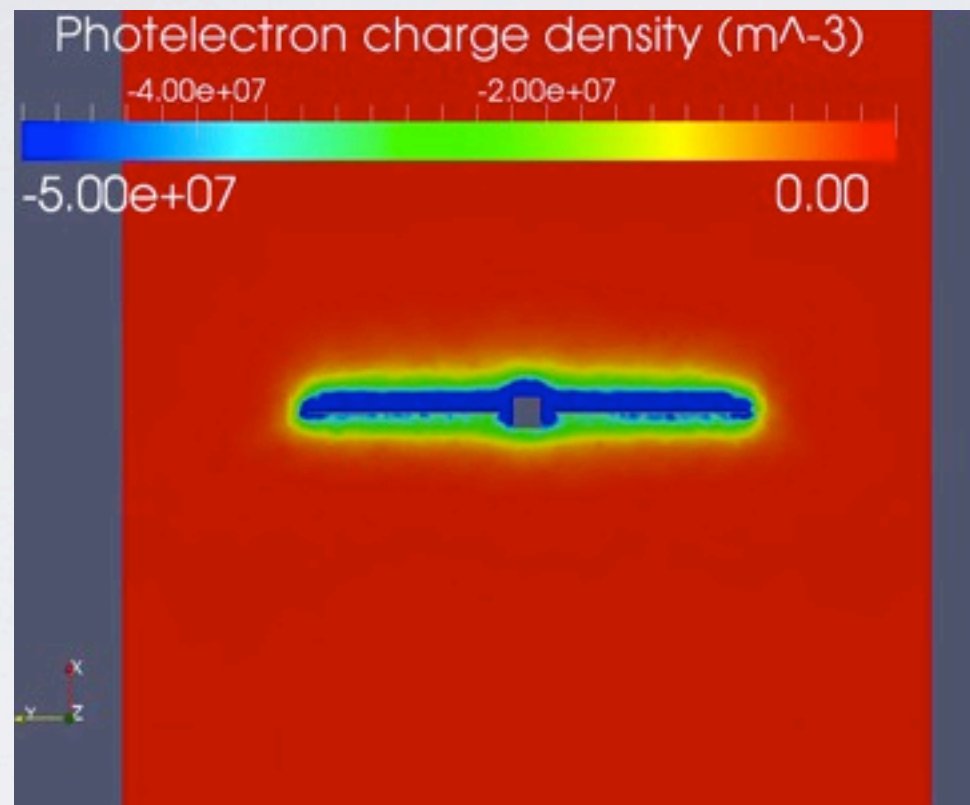
- Spacecraft charging
- S/C-Plasma induced environment
- For any material, shape, size & plasma
- New version allowing simulation of particle detectors and LPs
- Sponsored by ESA, IRF, CNRS2, and CNES3. developed by ONERA, Artenum



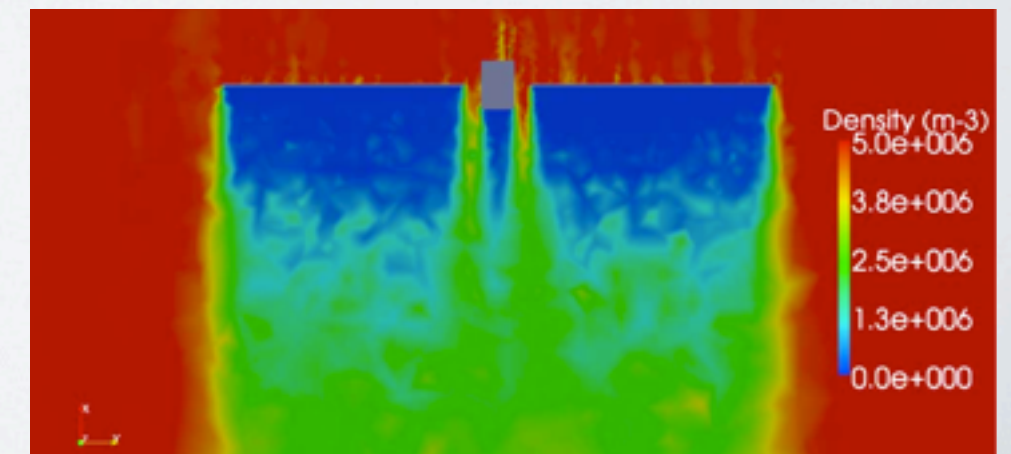
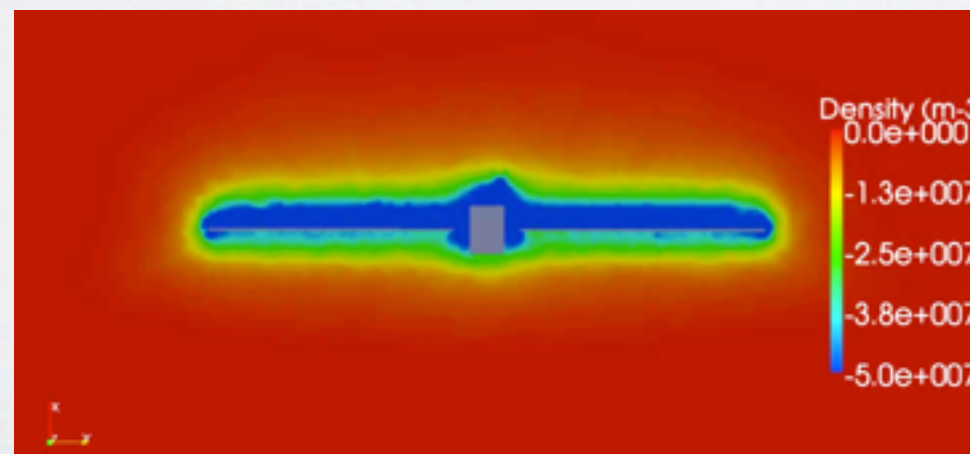
Model of Rosetta used in simulations in SPIS-Science

# COMPARISON TO PREVIOUS WORK

Identical parameter simulation of new model and SPIS version  
Top: SPIS-Sci simulation of current model

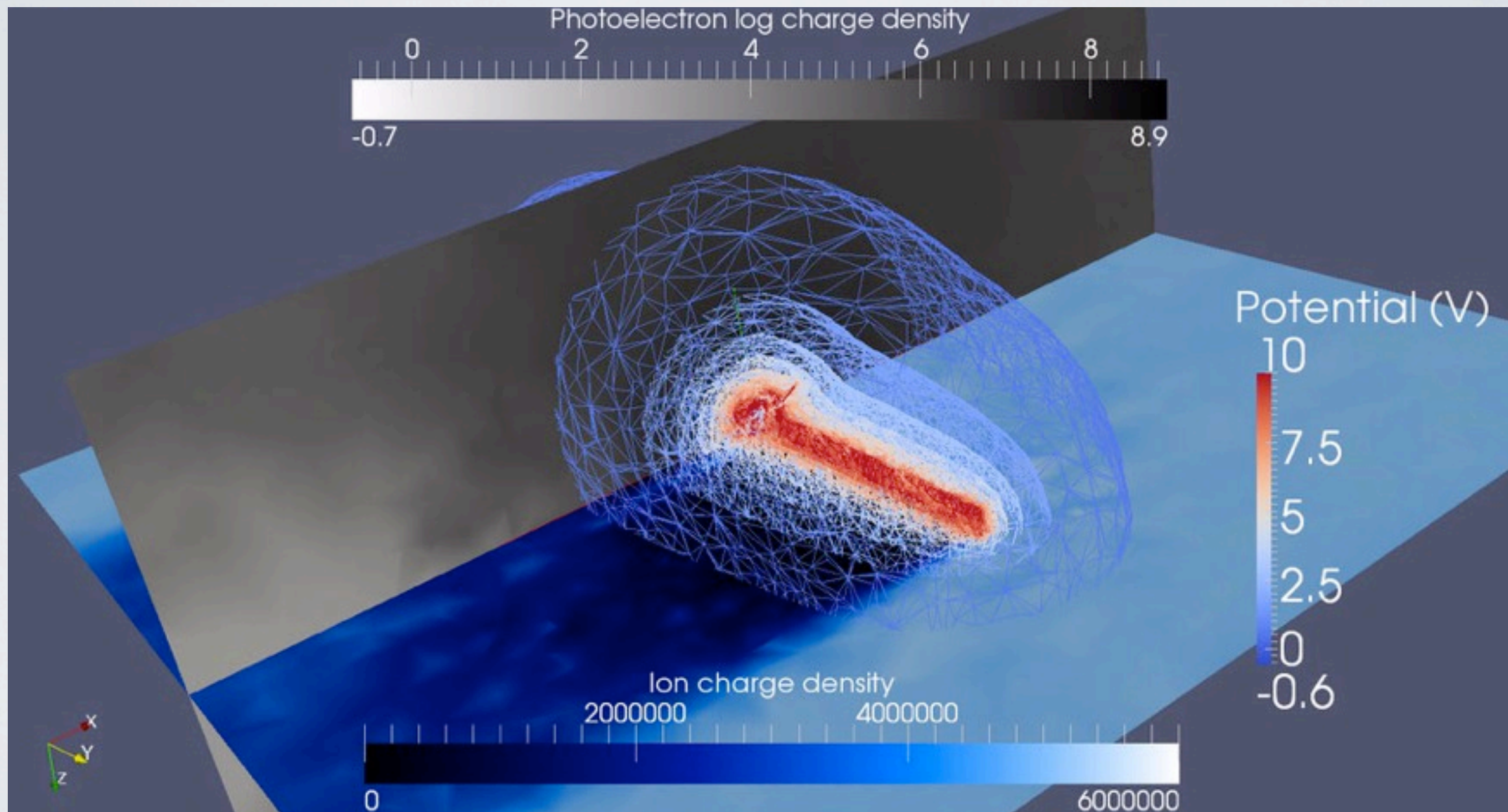


Below: corresponding A.Sjögren SPIS 3.7. simulation





# POTENTIAL, DENSITIES



# PROBE THEORY

- Ion and electron absorption
- Photoelectron emission and absorption
- Model 1 (5.1)
- Model 2 (3.9)
- $I_{\text{tot}}$  is sum of all parts

$$I_e = \begin{cases} I_{e0} \left(1 + \frac{V_p}{T_e}\right), & V_p > 0 \\ I_{e0} e^{\frac{V_p}{T_e}}, & V_p < 0 \end{cases} \quad (3.6)$$

$$I_i = \begin{cases} -I_{i0} e^{-\frac{V_p}{T_i}}, & V_p > 0 \\ -I_{i0} \left(1 - \frac{V_p}{T_i}\right), & V_p < 0 \end{cases} \quad (3.7)$$

$$I_{sc} = \begin{cases} I_{s0} \left(1 + \frac{V_b}{T_s}\right), & V_b > 0 \\ I_{s0} e^{\frac{V_b}{T_s}}, & V_b < 0 \end{cases} \quad (3.10)$$

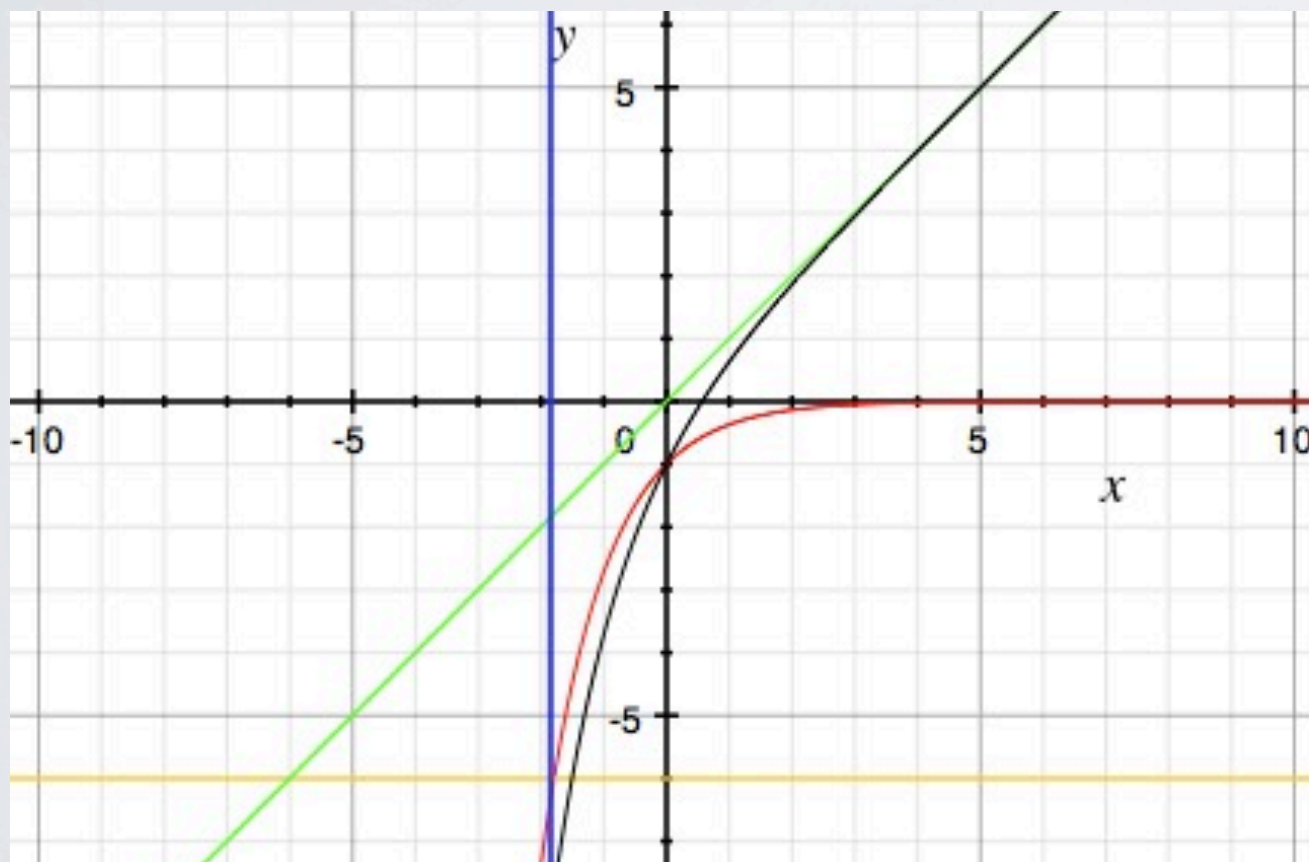
$$I_{ph} = \begin{cases} -I_{ph,0} \left(1 + \frac{V_p}{T_{ph}}\right) e^{-\frac{V_p}{T_{ph}}}, & V_p > 0 \\ -I_{ph,0}, & V_p < 0 \end{cases} \quad (3.9)$$

$$I_{ph} = \begin{cases} -I_{ph,0} e^{-\frac{V_p}{T_{ph}}}, & V_p > 0 \\ -I_{ph,0}, & V_p < 0. \end{cases} \quad (5.1)$$



# LP Sweep Model asymptotes for demonstrational purposes

$I$  vs  $V_b$



Blue line defines  $V_{float}$ , the plasma potential in the immediate vicinity of probe, depending on S/C and plasma conditions

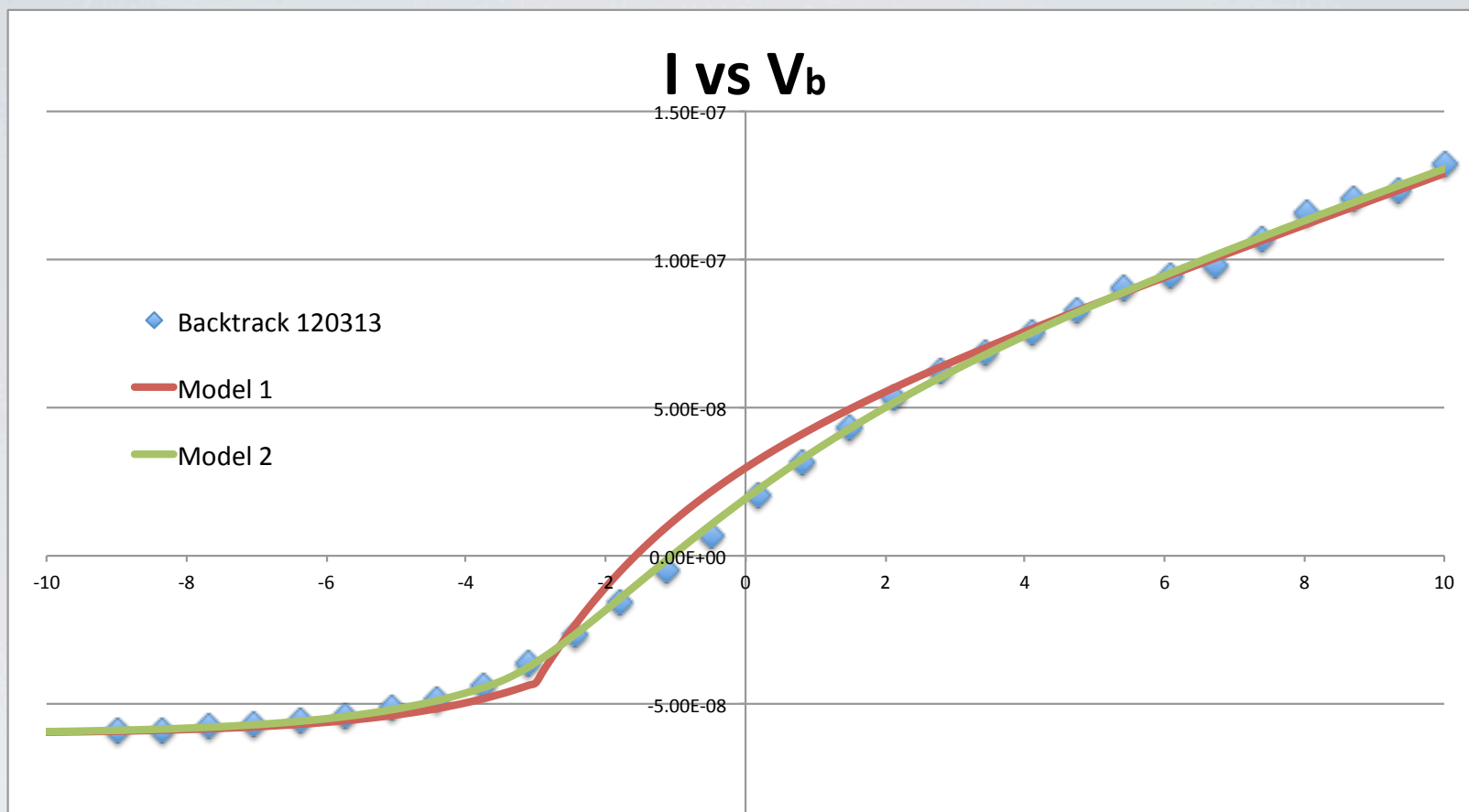
$$I_e = \begin{cases} I_{e0} \left(1 + \frac{V_p}{T_e}\right), & V_p > 0 \\ I_{e0} e^{\frac{V_p}{T_e}}, & V_p < 0 \end{cases} \quad (3.6)$$

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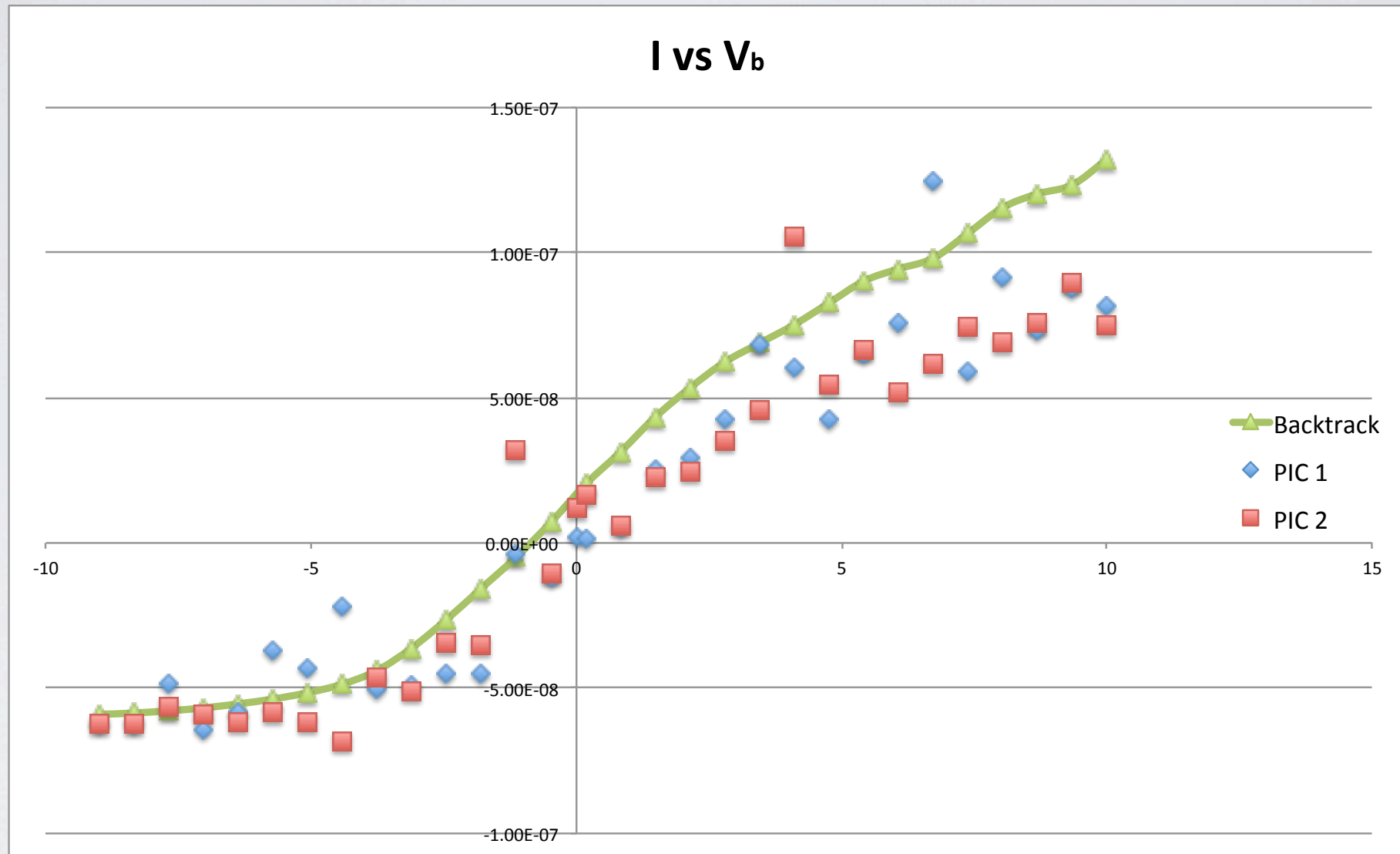


Parameter		$I_{s0}$	$V_{float}$
Model 1	$-I_{ph,0} e^{-\frac{V_p}{T_{ph}}}, V_p > 0$	$1.72 \times 10^{-8} \text{ A}$	7
Model 2	$-I_{ph,0} \left(1 + \frac{V_p}{T_{ph}}\right) e^{-\frac{V_p}{T_{ph}}}, V_p > 0$	$1.68 \times 10^{-8} \text{ A}$	6.4
Both	$\begin{cases} I_{s0} \left(1 + \frac{V_b}{T_s}\right), & V_b > 0 \\ -I_{ph,0}, & V_p < 0. \end{cases}$	$V_{s/c} = 10 \text{ V},$ $T_{ph} = 2 \text{ eV},$ $I_{ph,0} = 6 \times 10^{-8} \text{ A}$	

Langmuir Probe Sweep, current vs  $V_b$ . SPIS 8.3 million particle simulation probe sweeps, Sunlit Langmuir probe,  $180^\circ$  SAA, 10 V charged spacecraft at 1 AU, in  $T_e = 12 \text{ eV}$ ,  $T_{ion} = 5 \text{ eV}$ ,  $T_{ph} = 2 \text{ eV}$ ,  $n_e = 5 \text{ cm}^{-3}$  solar wind at  $v = 400 \text{ km/s}$ ,



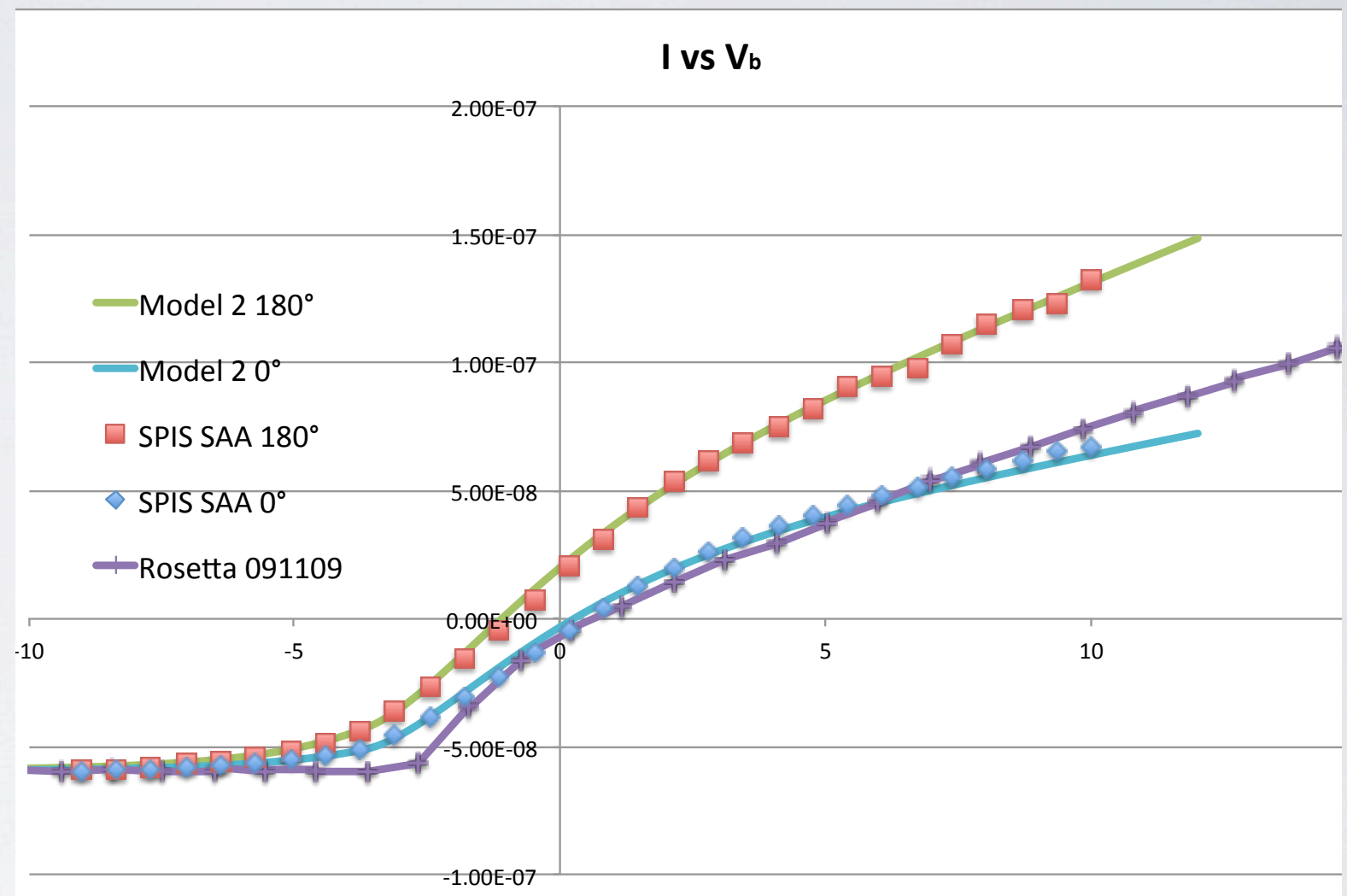
# BACKTRACK VS PIC



Current vs  $V_b$ . SPIS 8.3 million particle simulation probe sweeps, Sunlit Langmuir probe,  $180^\circ$  SAA, 10 V charged spacecraft at 1 AU, in  $T_e=12\text{eV}$ ,  $T_{\text{ion}}=5\text{eV}$ ,  $T_{\text{ph}}=2\text{eV}$ ,  $n_e=5\text{cm}^{-3}$  solar wind at  $v=400\text{ km/s}$ ,

# SOLAR ASPECT ANGLE & ROSETTA

	Model 2 180°	Model 2 0°
$-I_{ph0}$ (A)	-5.90E-08	-5.93E-08
$I_{s0}$ (A)	1.69E-08	8.20E-09
$V_{float}$ (V)	6.4	6.3
$n_{ph}$ ( $cm^{-3}$ )	14.2	6.90



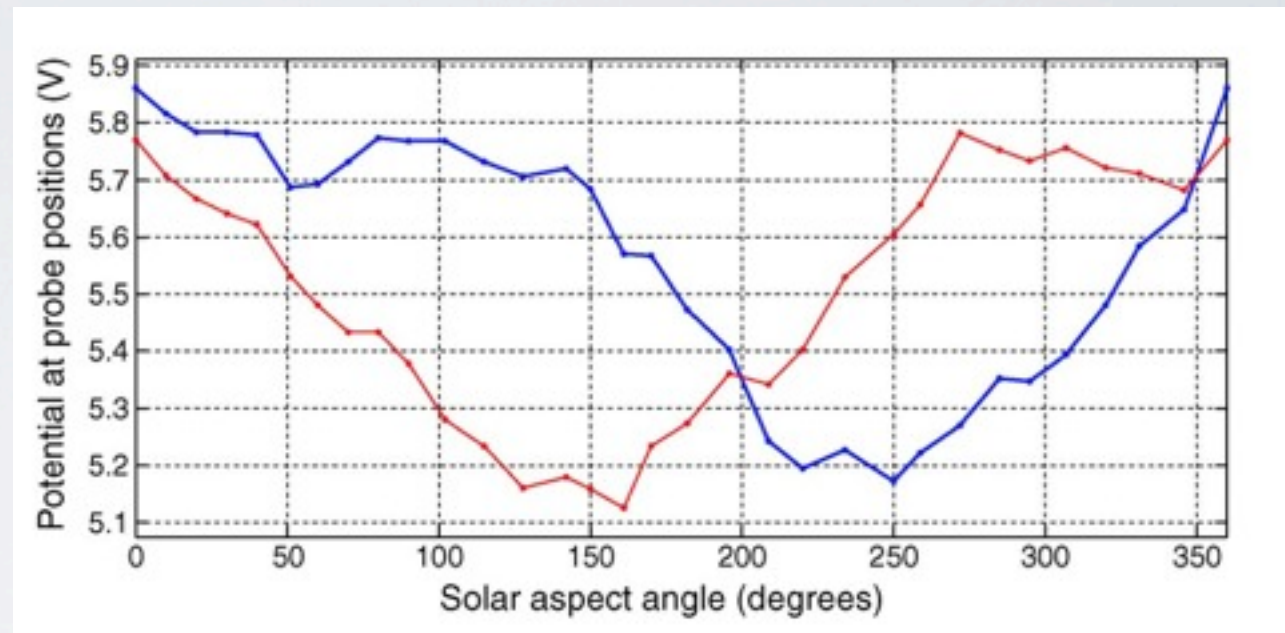
Langmuir probe sweeps, current against bias voltage. SPIS 8.3 million particle simulations (blue & red points) at different solar aspect angles, Sunlit Langmuir probe, for a 10 V charged spacecraft at 1 AU, in  $T_e=12eV$ ,  $T_{ion}=5eV$ ,  $T_{ph}=2eV$ ,  $n_e=5cm^{-3}$  solar wind at  $v=400$  km/s. Rosetta Langmuir probe sweep (purple) at 1 AU with unknown plasma parameters.



# SPIS-SCI VS PREVIOUS WORK

	Model 2 180°	Model 2 0°
$-I_{ph0}$ (A)	-5.90E-08	-5.93E-08
$I_{s0}$ (A)	1.69E-08	8.20E-09
$V_{float}$ (V)	6.4	6.3
$n_{ph}$ (cm <sup>-3</sup> )	14.2	6.90

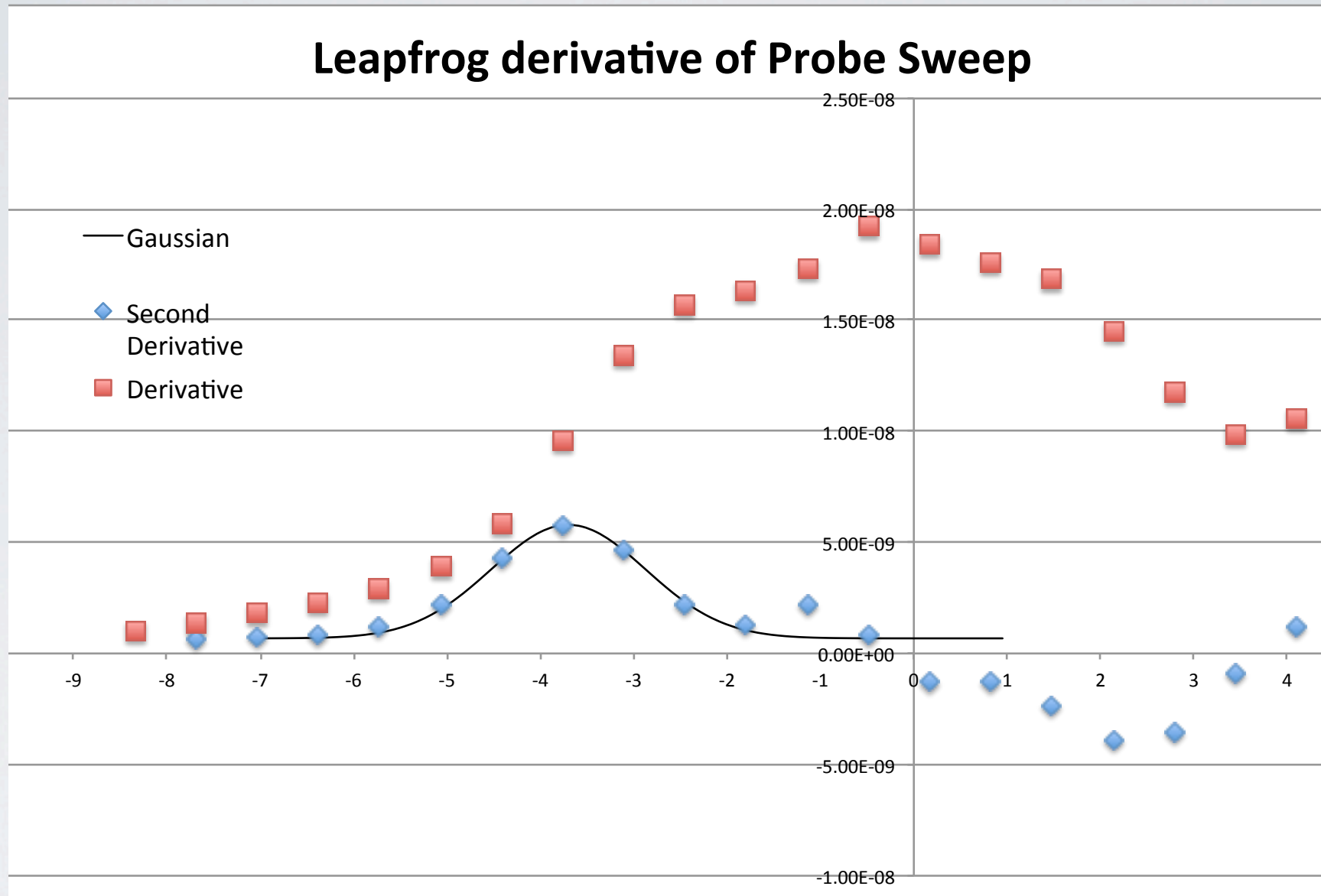
Spis-SCI results from Model fit



Spis 3.7 Simulated probe potentials for Probe 1 (blue) and Probe 2 (red) assuming a spacecraft potential of +10V [Sjogren et al., 2012].

$$V_{float}(0^\circ) - V_{float}(180^\circ) = 0.4$$

SPIS-SCI result more consistent with real data



180° SAA Probe sweep derivatives.

Gaussian centered at  $\mu = -3.6$  V,  $\sigma = 0.9$ , corresponding to a plasma potential of 6.4V at probe position, as expected from model result



# CONCLUSIONS

- SPIS Science can confidently simulate the Langmuir probe sweep of a real Spacecraft
- Plasma potential at probe position can be extrapolated from fit with theoretical model and second derivate of LP sweep.
- Floating potential SAA dependence in SPIS-SCI is consistent with real data
- Results consistent with theoretical model assuming photoemission from point

## Future Work:

- Simulation with parameters identical to real data
- All solar aspect angles
- Other Plasma environments

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- [http://www.esa.int/Our\\_Activities/Space\\_Science/Rosetta\\_overview](http://www.esa.int/Our_Activities/Space_Science/Rosetta_overview)
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- M. Nakamura, editor T Goka. Space plasma environment at the adeos-ii anomaly, JAXA-SP-05-001E. Japan Aerospace Exploration Agency, JAXA, 2002.
- A. Sjögren. Simulation of Potential Measurements Around a Photoemitting Spacecraft in a Flowing Plasma. IEEE TRANSACTIONS ON PLASMA SCIENCE, 40(4):1257, April 2012.
- Rejean J.L. Grard, Properties of the Satellite Photoelectron Sheath Derived from Photoemission Laboratory Measurements, Journal of Geophysical Research Vol 78, NO. 16. 1973