

Environment models for JCAT (Jupiter Charging Analysis Tools)

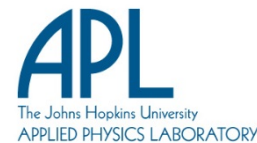
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1: Max Planck Institute for Solar System Research, Göttingen, Germany

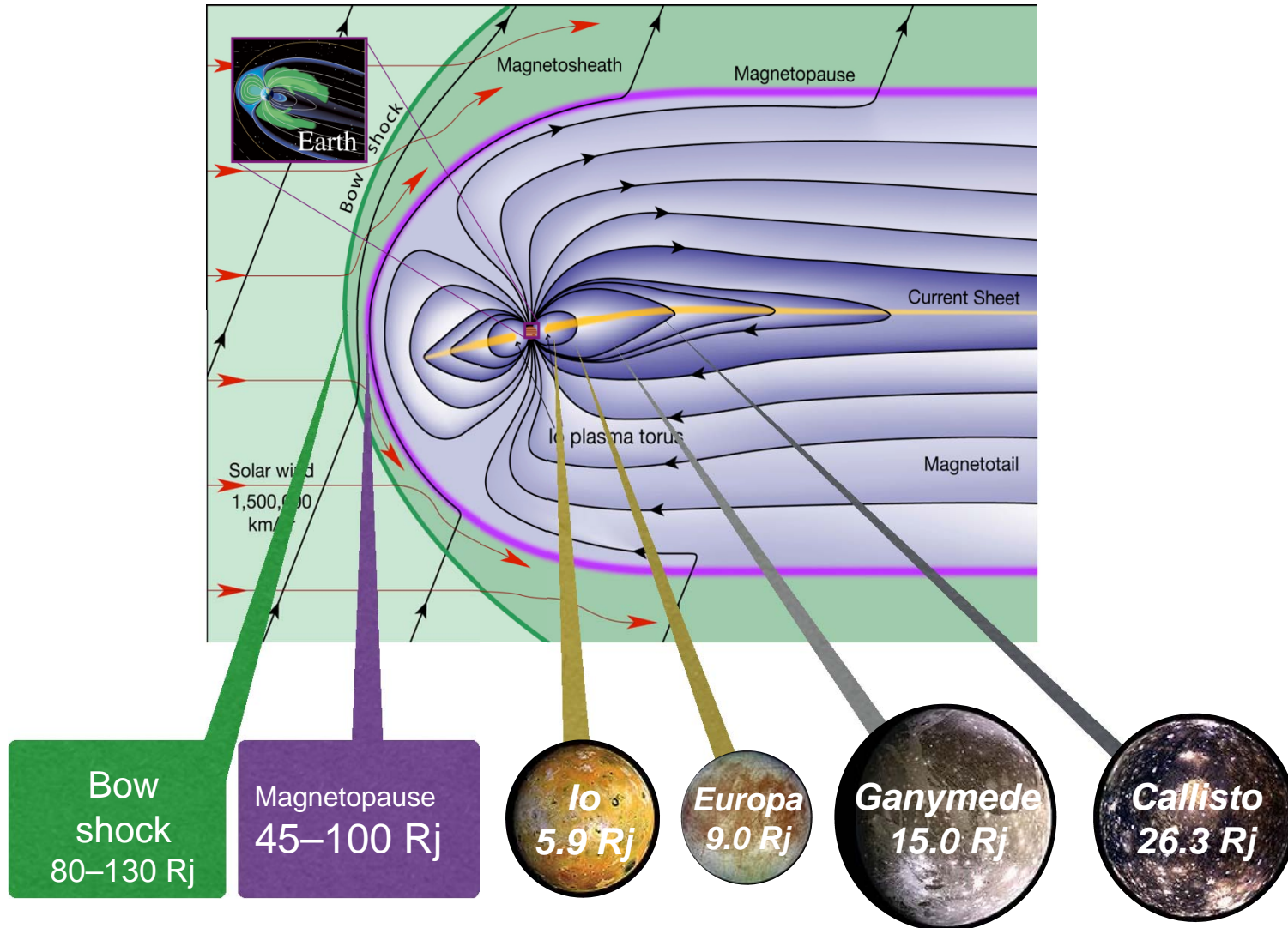
2: Swedish Institute for Space Physics, Kiruna, Sweden

3: Applied Physics Laboratory, Laurel, USA

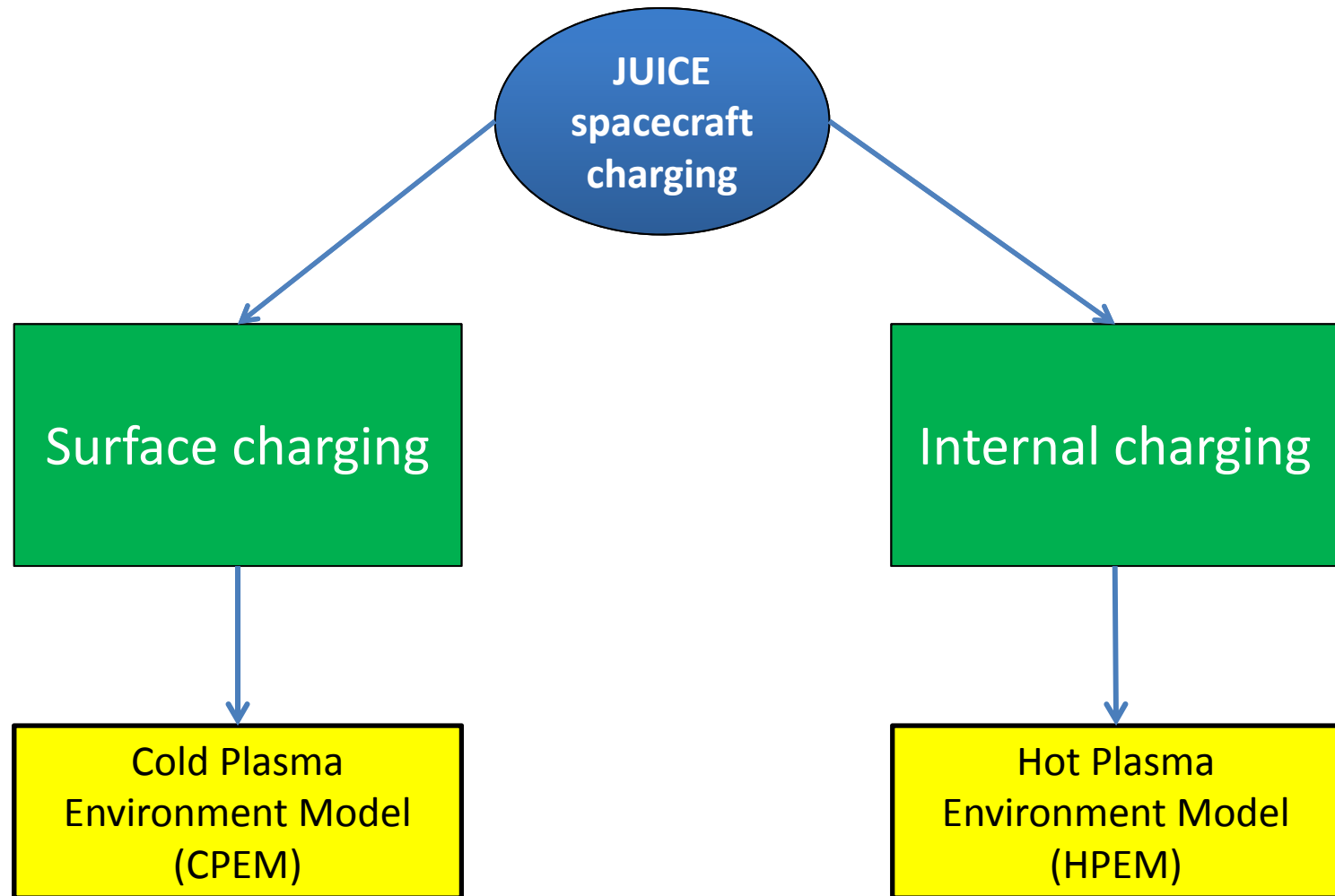
4: Swedish Institute for Space Physics, Uppsala, Sweden



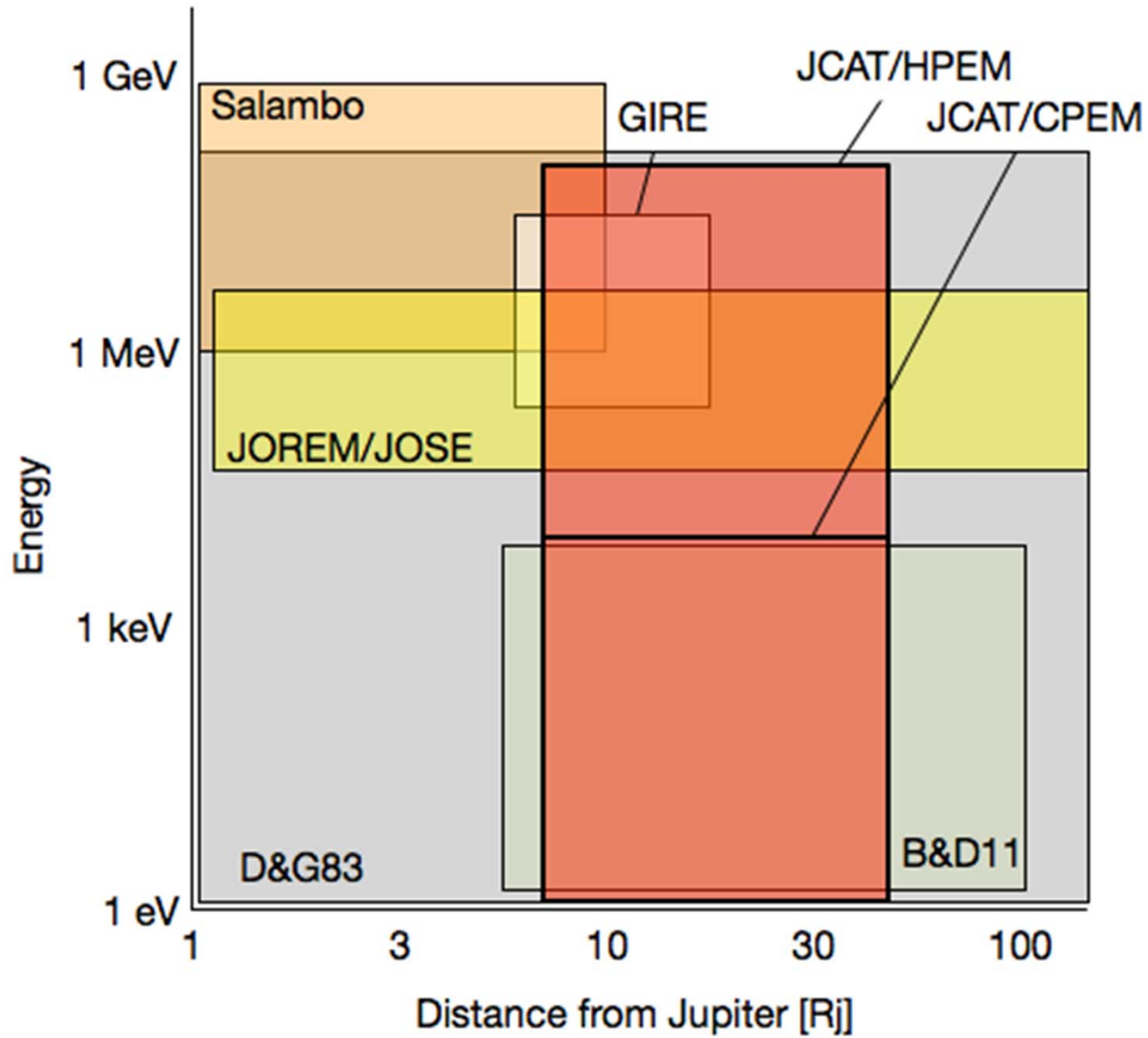
Introduction: Jupiter's magnetosphere



Motivation



Earlier models



Earlier model limitations



Cold plasma

- Based mostly on Pioneer 10/11 data
- Only mean models
- Limited distance/latitude applicability
- No temporal variations

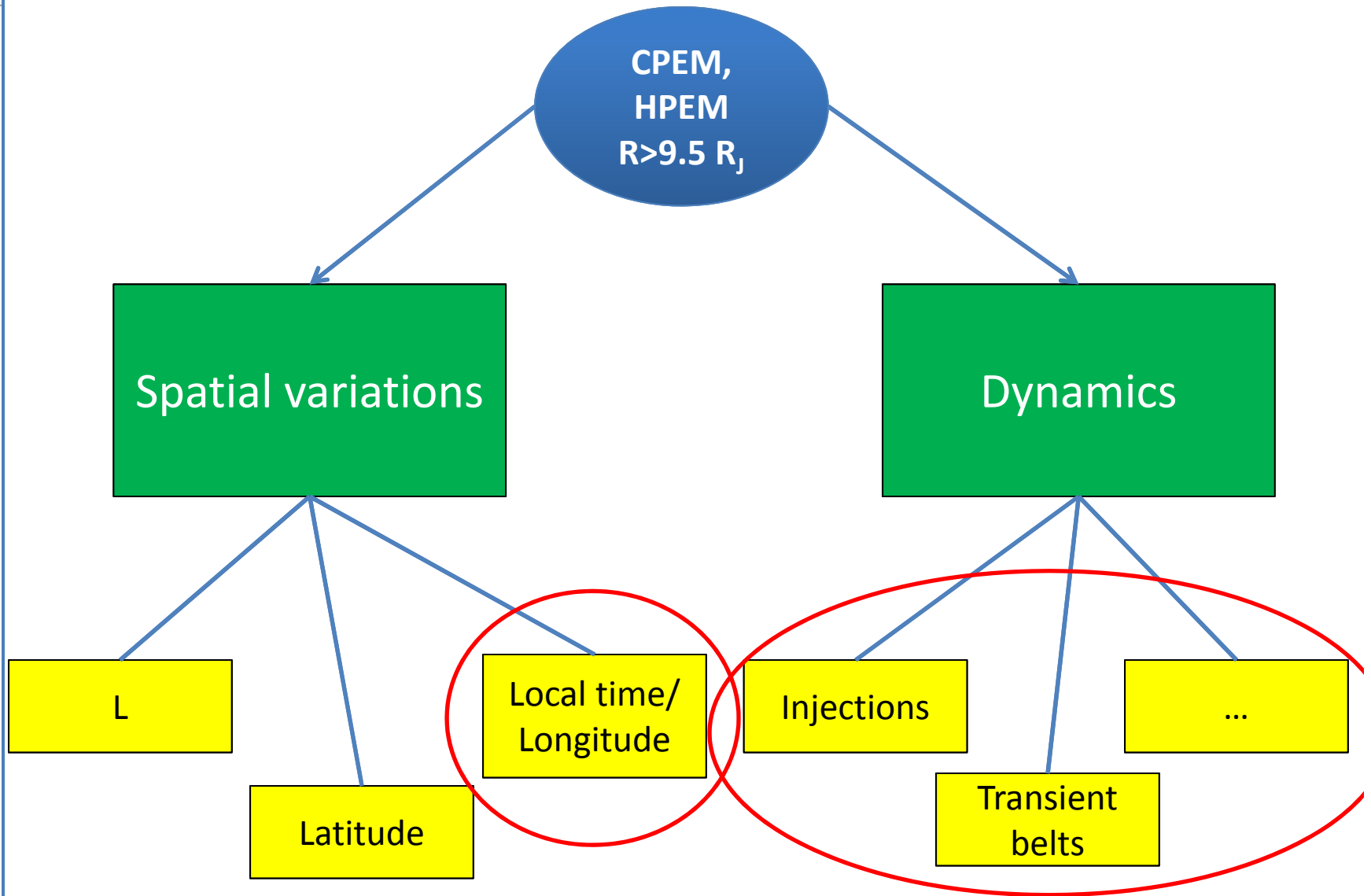
Energetic particles

- No temporal variations
- Mostly mean models

Both

- Data analysis challenges (penetrating radiation, corrupted data, saturation etc.)

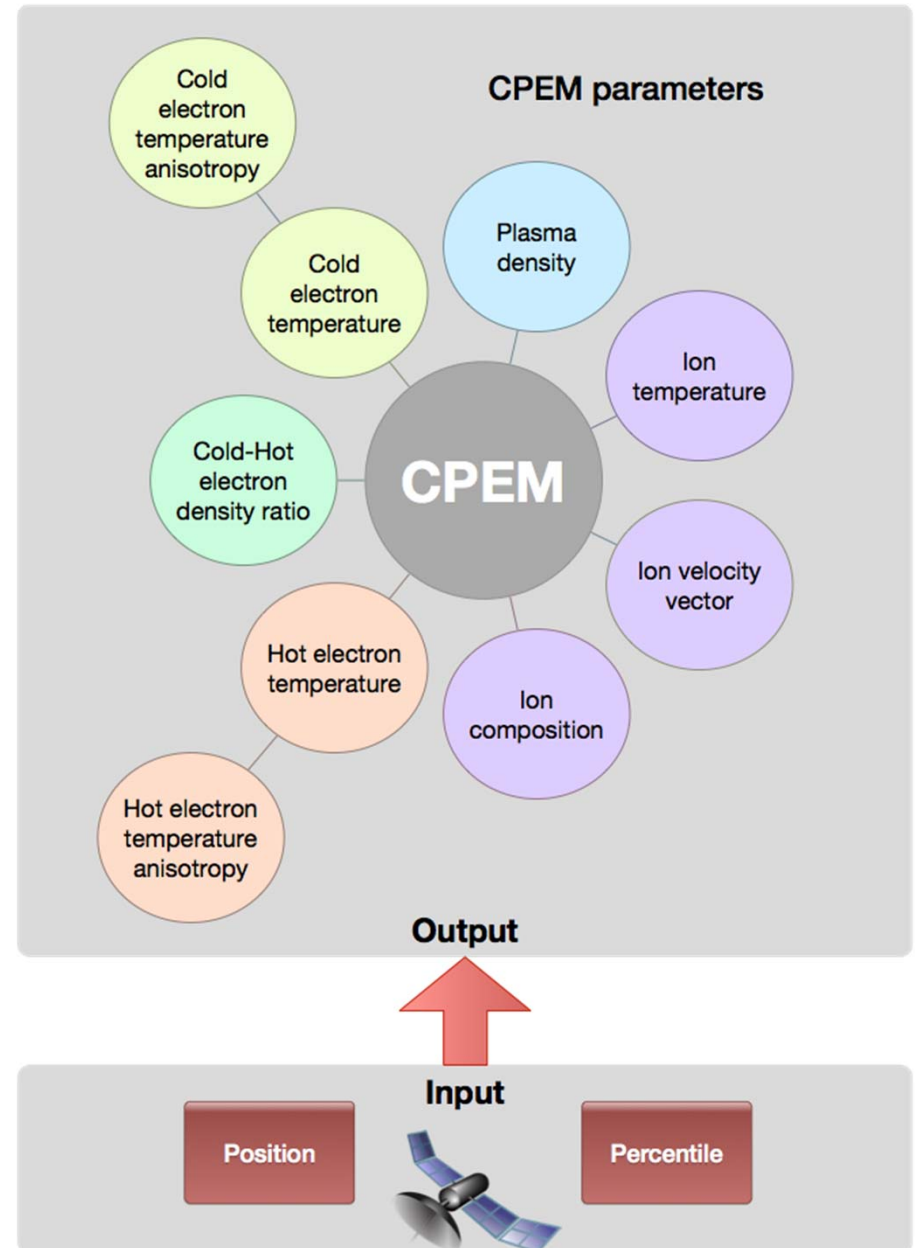
Introducing temporal variations



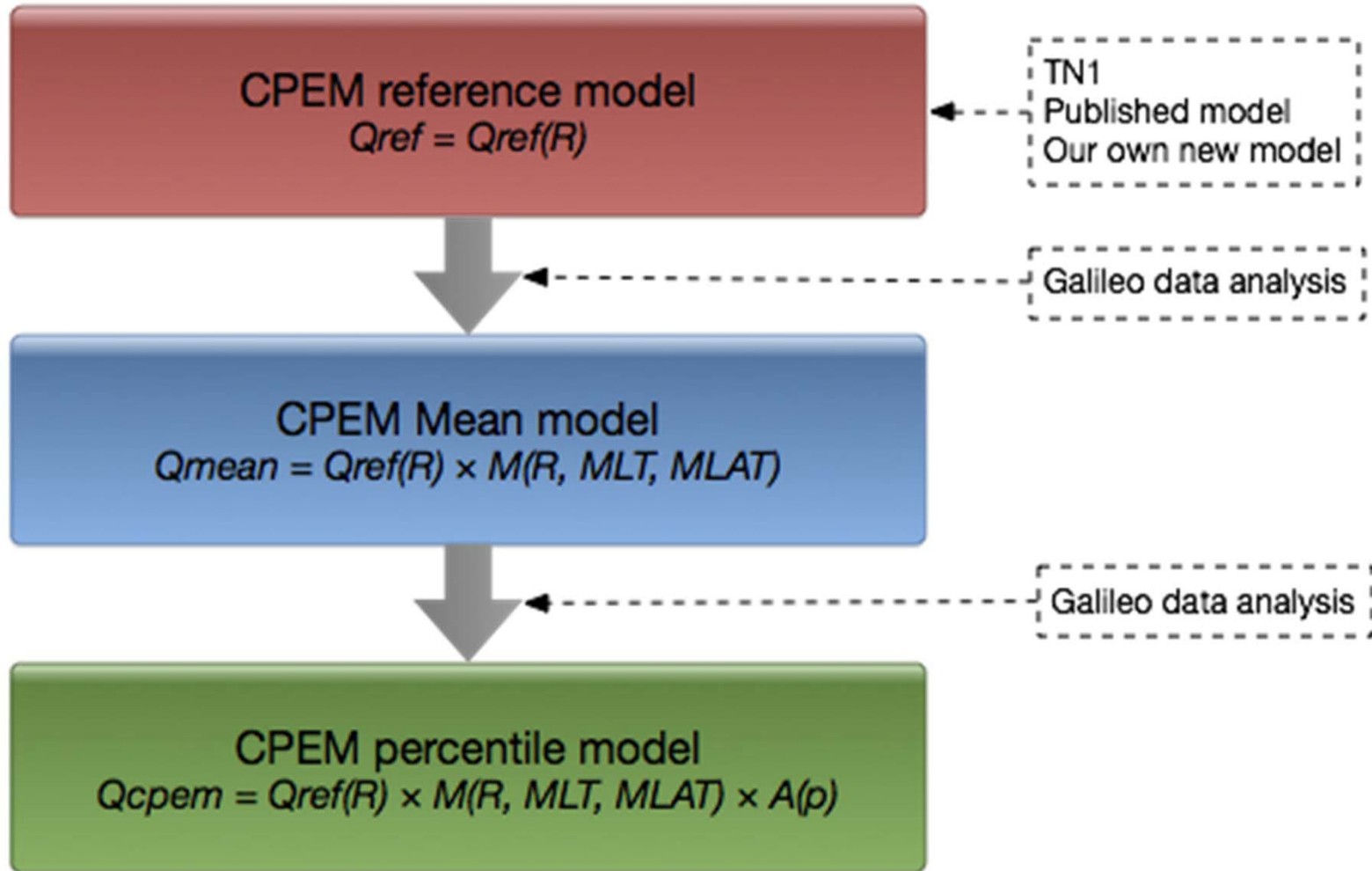
Cold Plasma Environment Model (CPEM)



- Empirically derived
- All MHD parameters
- Distance, magnetic longitude and latitude (3-D)
- Probability model
 $Q = Q(x, y, z; p)$
- Based on Galileo/PLS electron and ion observations
- Ion moments provided by Fran Bagenal/Rob Wilson
- Electron observations re-analyzed



CPEM development concept



- ***Available magnetic latitude data is limited. Theoretical guess needed.***
- ***No inter-parameter dependence considered.***

CPEM example: plasma density



$$N_{JCAT}(r, MLT, MLAT; p) = N_{BD11}(r) \times \textit{reference model}$$
$$A(p) \times \textit{probability coefficient}$$
$$M(r, MLT) \times \textit{MLT coefficient}$$
$$ShM(r, MLAT) \textit{MLAT coefficient}$$

$$N_{BD11}(r) = 1987 \times (R/6)^{-8.2} + 14 \times (R/6)^{-3.2} + 0.05 \times (R/6)^{-0.65}$$

$$A(p) = \exp(-0.802467 + 0.0163519 * p)$$

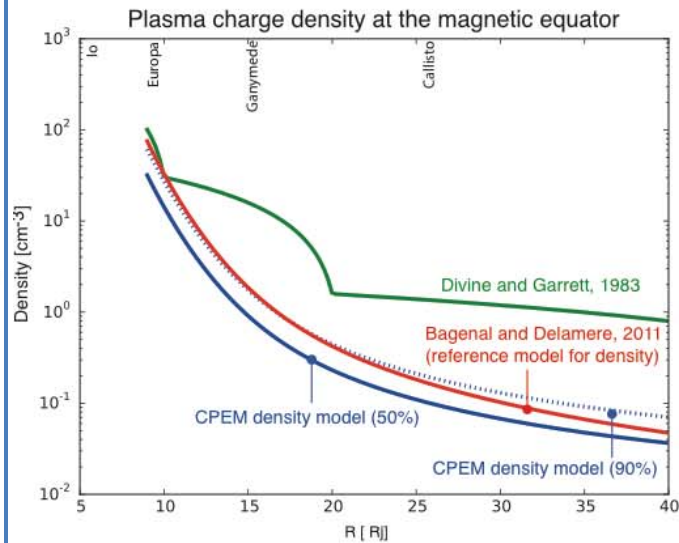
$$M(r, MLT) = c0 + c1 * r$$

$$c0 = 0.1991 \sin(MLT + 3.05hr) + 0.3469$$

$$c1 = -0.01380 \sin(MLT + 3.80hr) + 0.02883$$

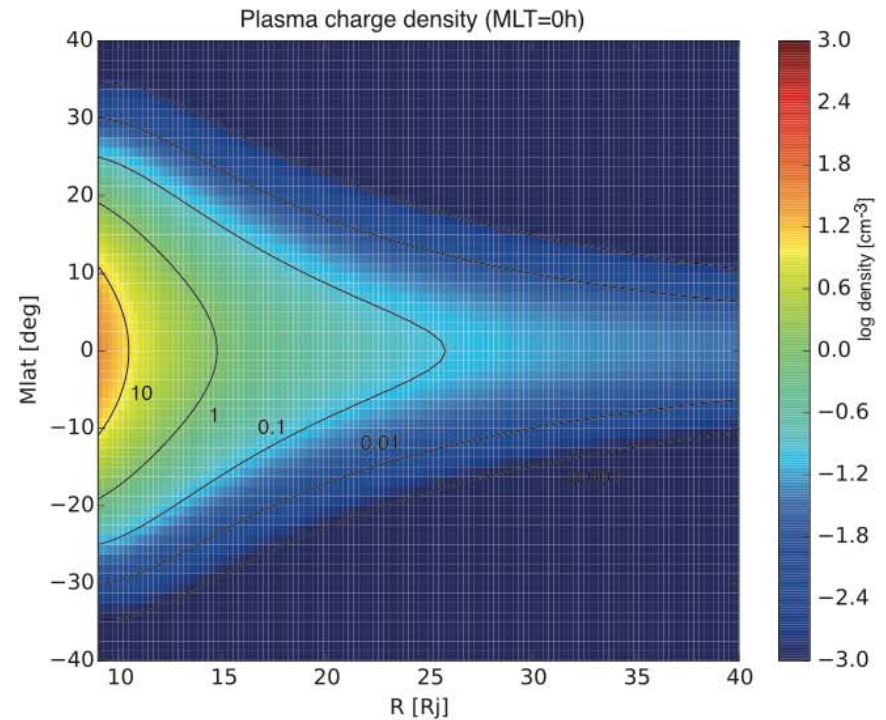
$$ScM(r, MLAT) = \exp(-(r \sin(MLAT)/H)^2)$$

CPEM example: plasma density



(Top) Derived plasma charge density model and its comparison with existing models. Two probability models, 50% (median) and 90% (extreme) are shown.

(Right) Median model in 2D representation at MLT=0h.

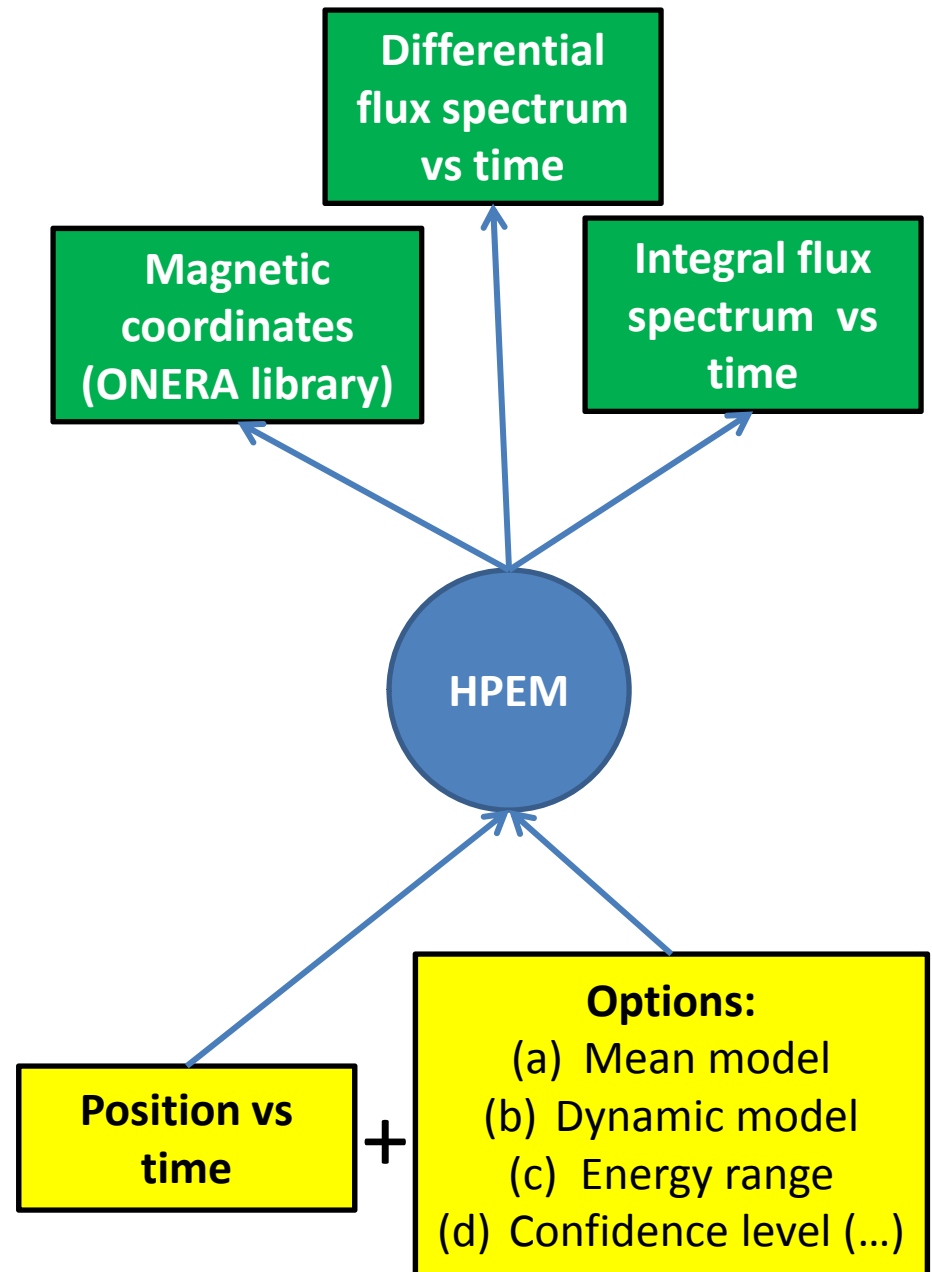


CPEM will be available soon!

Hot Plasma Environment Model (HPEM)



- Empirically derived
- L, local time, latitude (3-D) and time ($9.5 < R < 100 R_j$)
- Electron spectra as a function of time (150 keV – 50 MeV), arbitrary energy resolution, time resolution >11 min
- Correlated electron spectra
- Mean model + Monte Carlo probability code
- Based on Galileo/EPD electron data (+ Pioneer 10/11 for constraints above 20 MeV)



HPEM development concept



Galileo EPD data reduction, calibration

Fits to analytical spectral forms (correlated spectra)

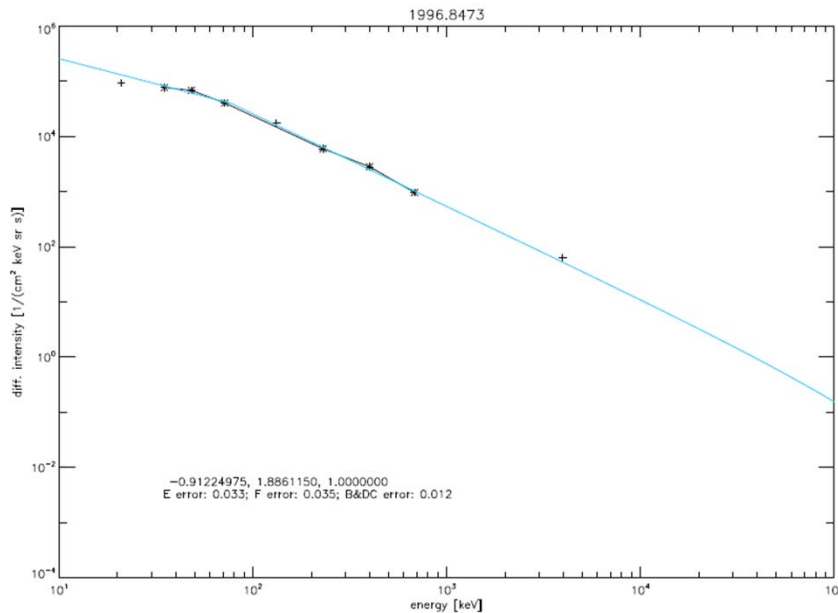
For a spectral parameter parameterize:
(a) Absolute value vs position
(b) Probability function shape vs position
(c) Temporal gradient vs position

Derive correlation functions between different spectral parameters vs L

Test runs & comparison with Galileo data

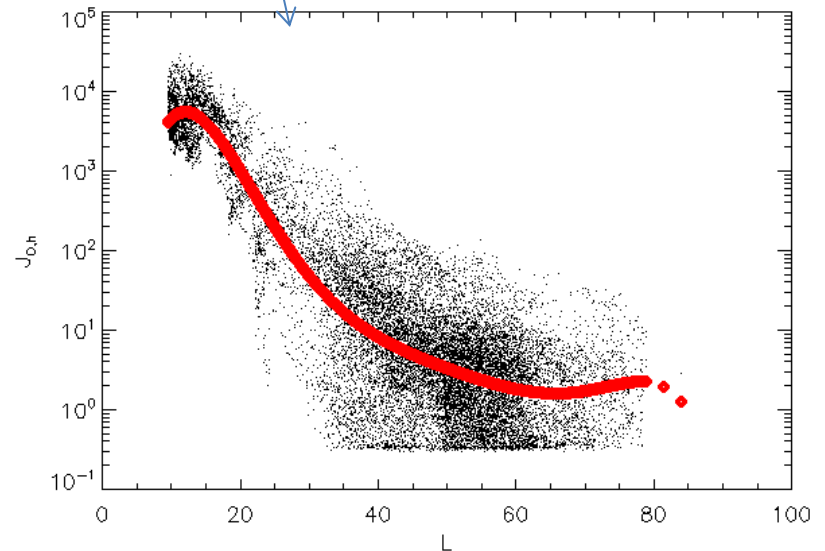
Optimize function coefficients

HPEM data analysis (1)



$$j_{high} = j_{oh} E^\gamma \left(1 + \frac{E}{E_c}\right)^\lambda \frac{1}{E_o^\gamma \left(1 + \frac{E_o}{E_c}\right)^\lambda}$$

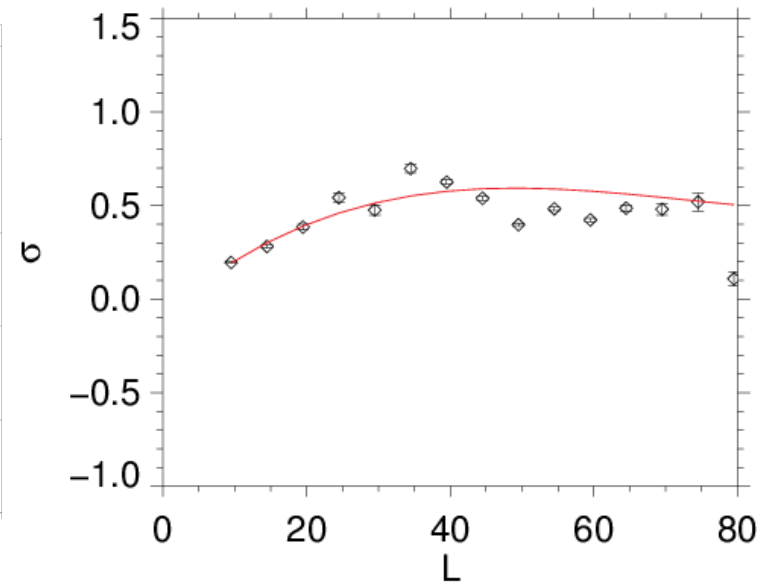
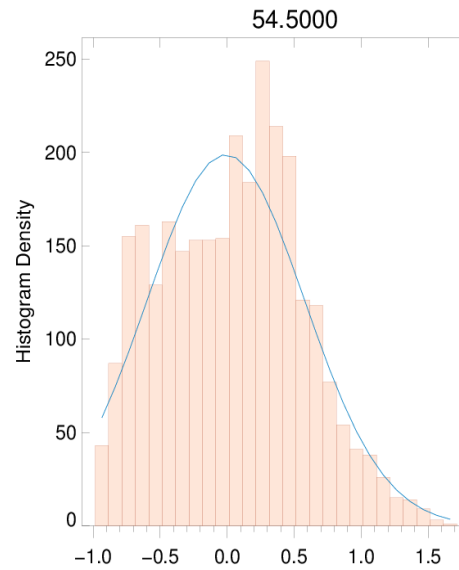
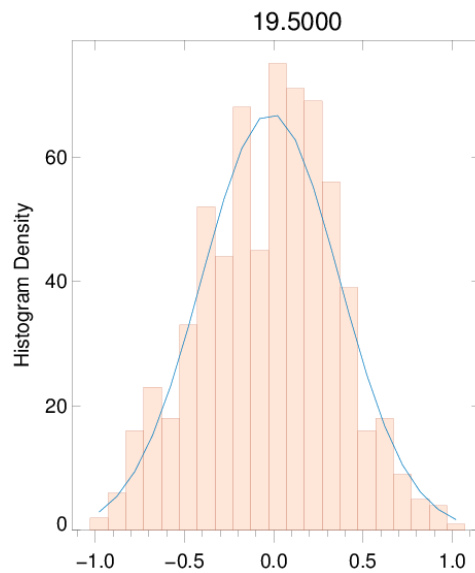
- Use analytical functions to describe $j_{o,h}$ or $\log(j_{o,h})$
- Describe local time/latitude variations, where they exist



HPEM data analysis (2)



To quantify dynamics, we model the scatter of $\text{LOG}_{10}(j_{o,h})$ using gaussian distribution fits as a function of L

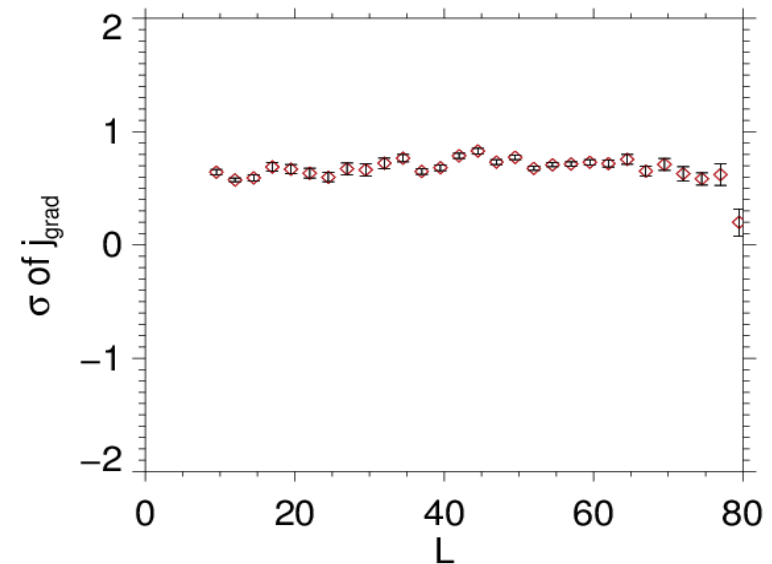
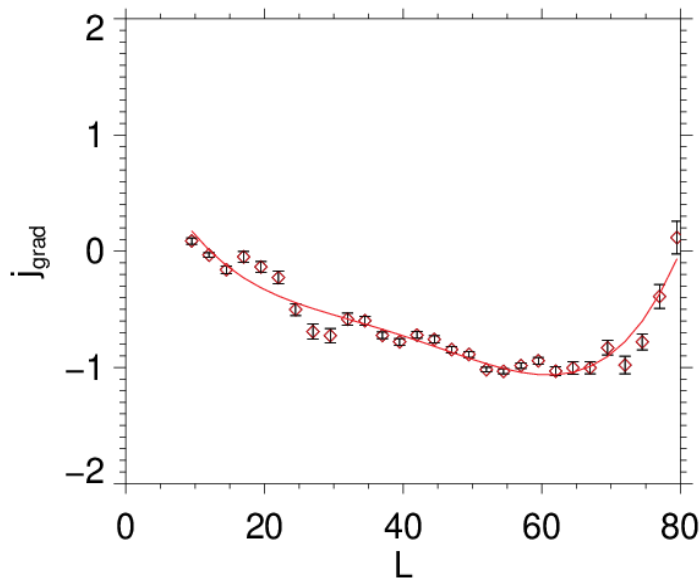


HPEM data analysis (3)



- We also constrained the total (temporal and spatial) gradient of $\text{LOG}_{10}(j_{o,h})$. We evaluated it as an L-gradient
- Using the EPD time series we estimated:

$$k = \frac{dj_{o,h}}{dL} \quad \& \quad j_{grad} = \text{LOG}\left(\frac{|k|}{j_{o,h}}\right)$$

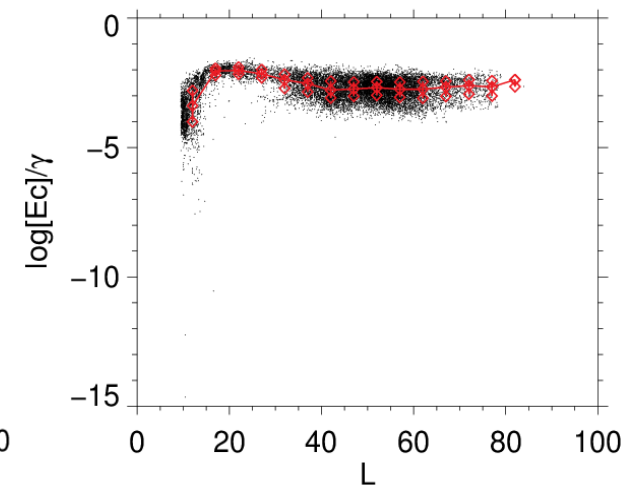
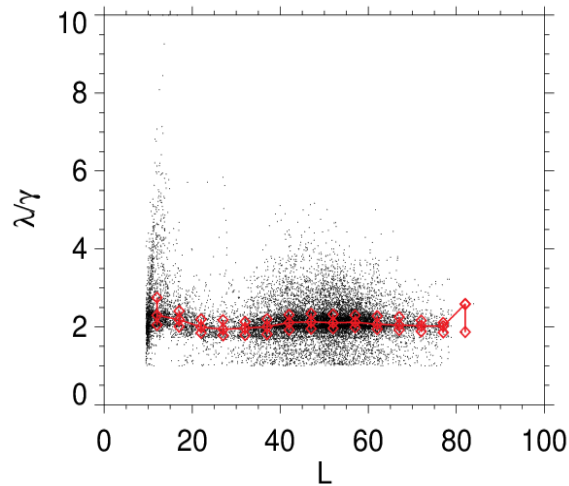
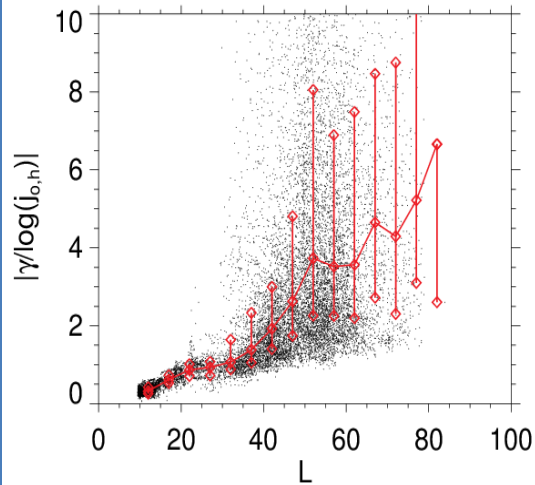


HPEM data analysis (4)

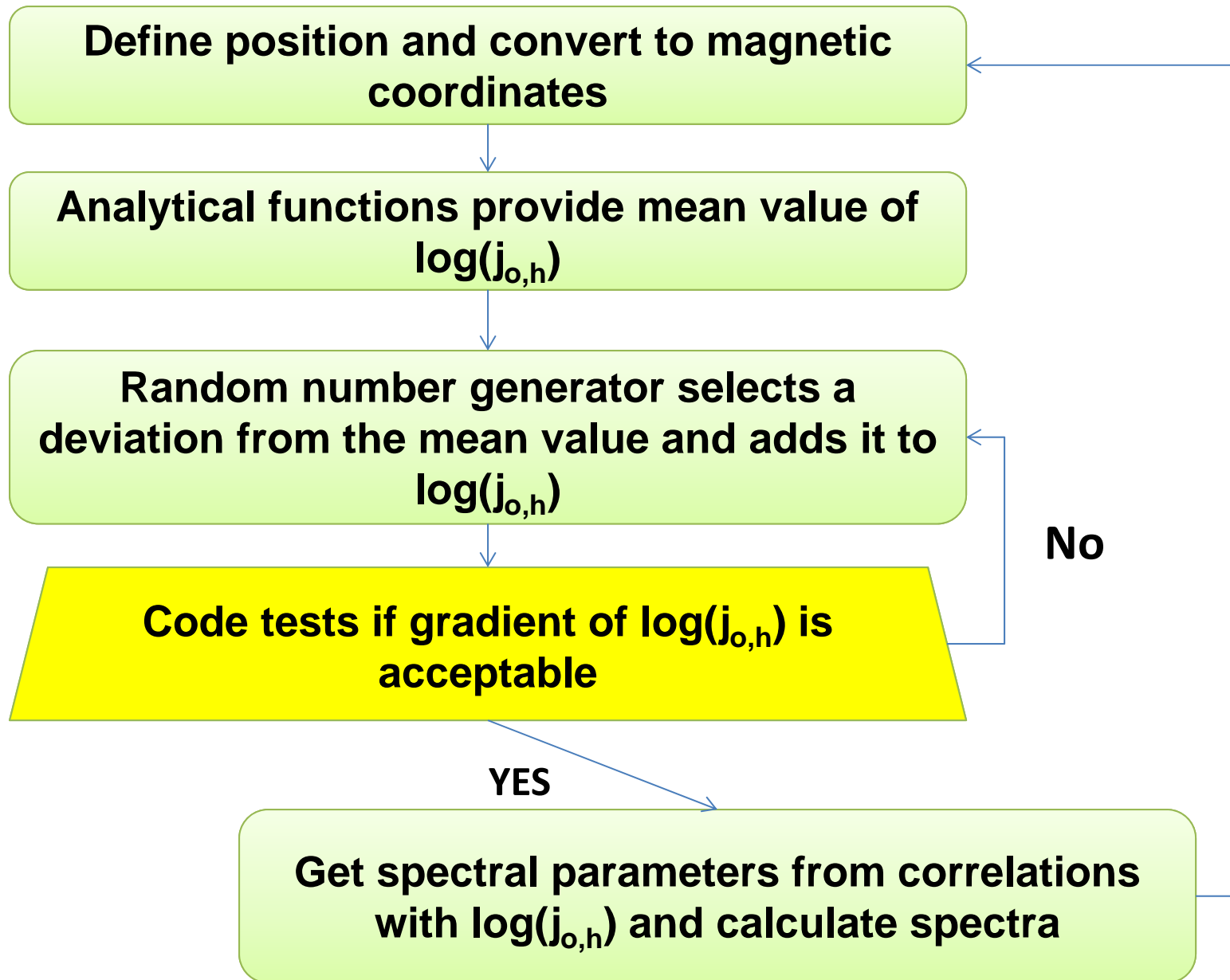


- Using $\text{LOG}_{10}(j_{o,h})$ as a basis, we obtain the other spectral parameters using correlation functions:

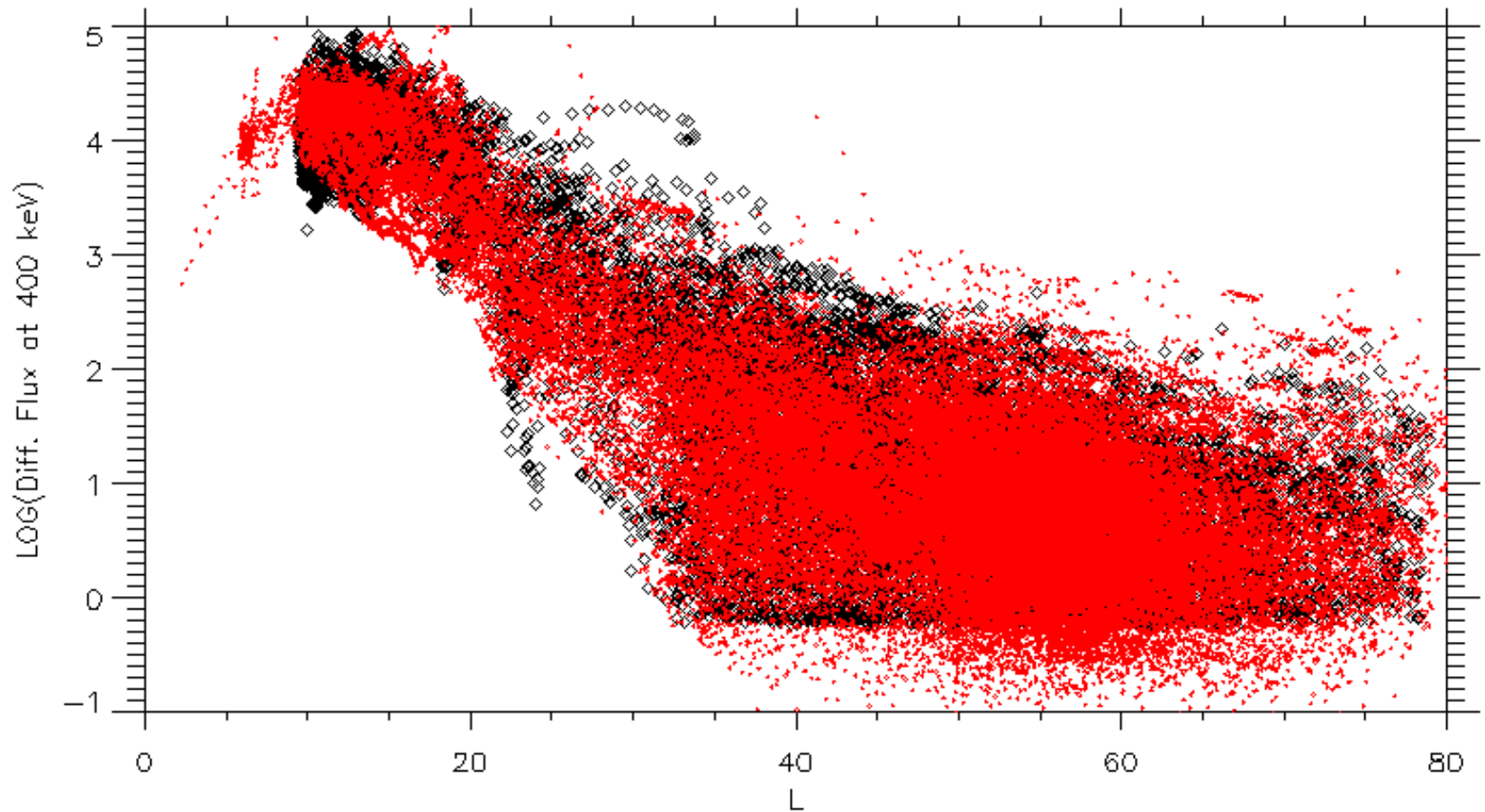
$$j_{high} = j_{oh} E^\gamma \left(1 + \frac{E}{E_c}\right)^\lambda \frac{1}{E_o^\gamma \left(1 + \frac{E_o}{E_c}\right)^\lambda}$$



HPEM implementation

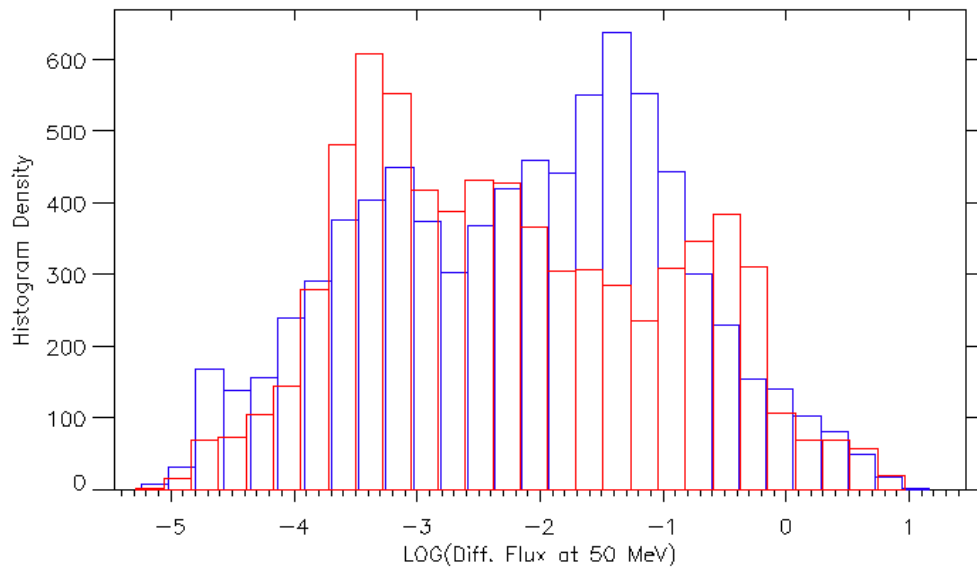
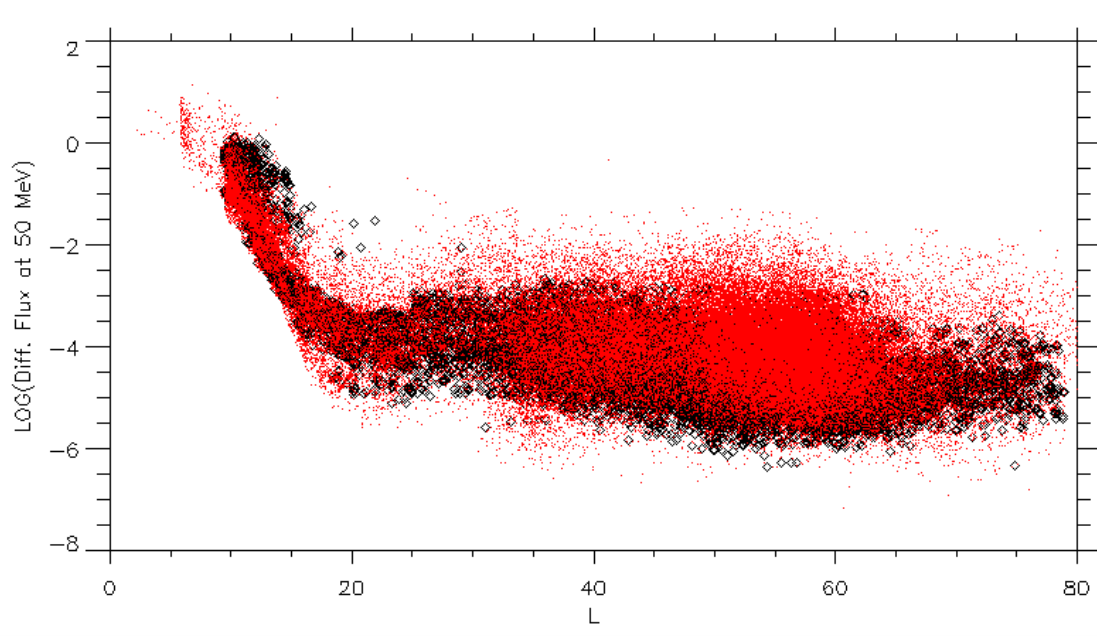


HPEM sample results (Galileo)

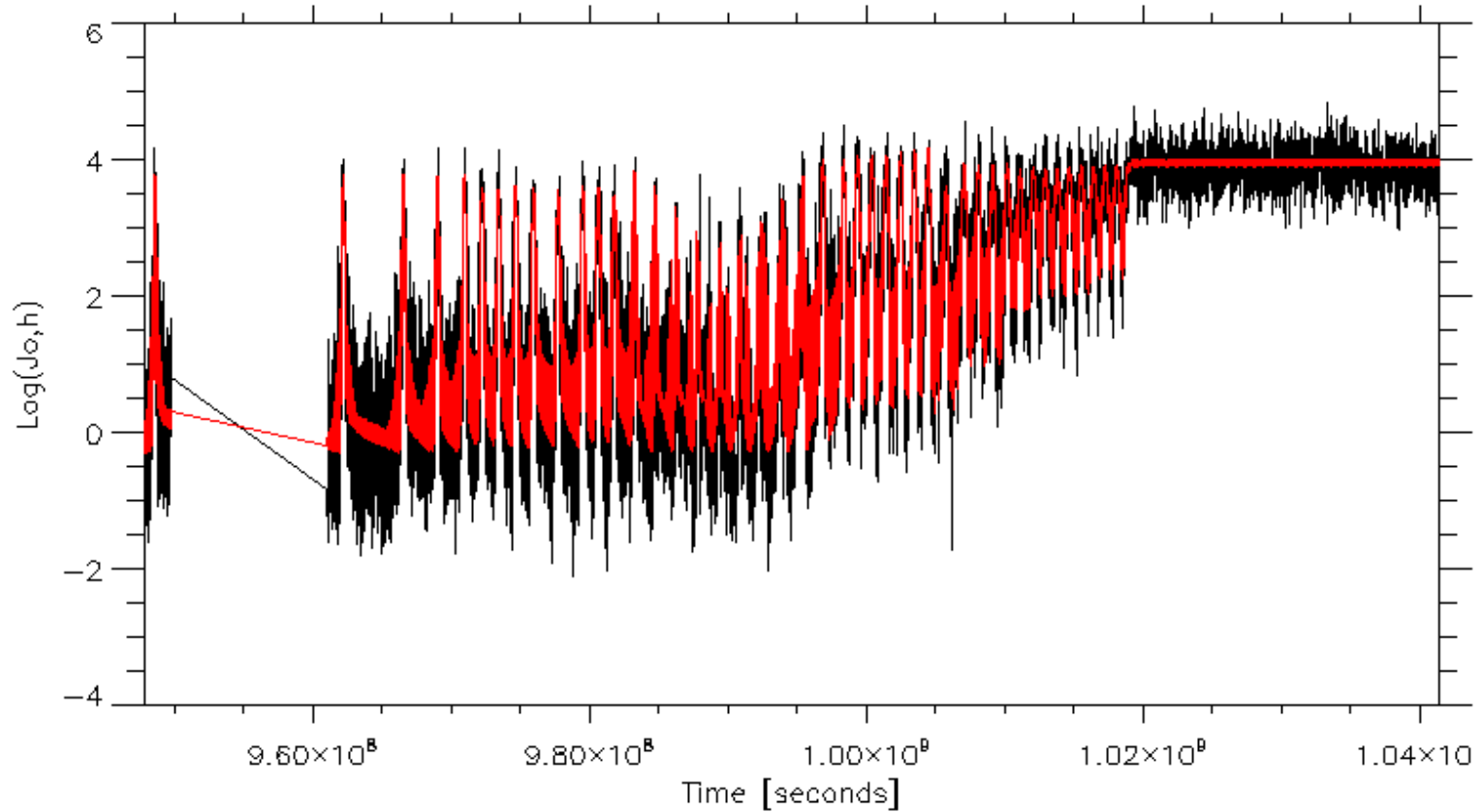


Red: model, black: data

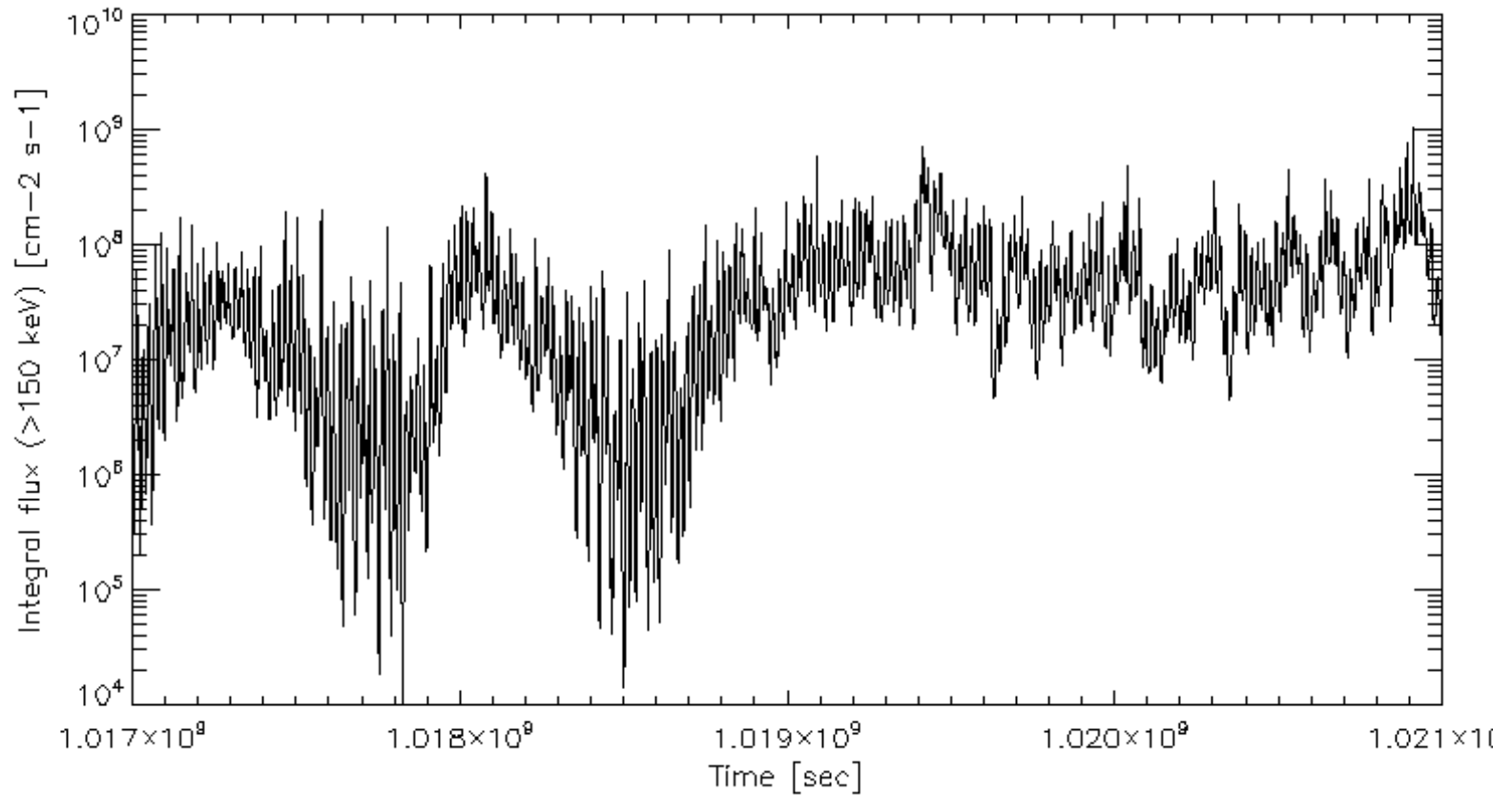
HPEM sample results (Galileo)



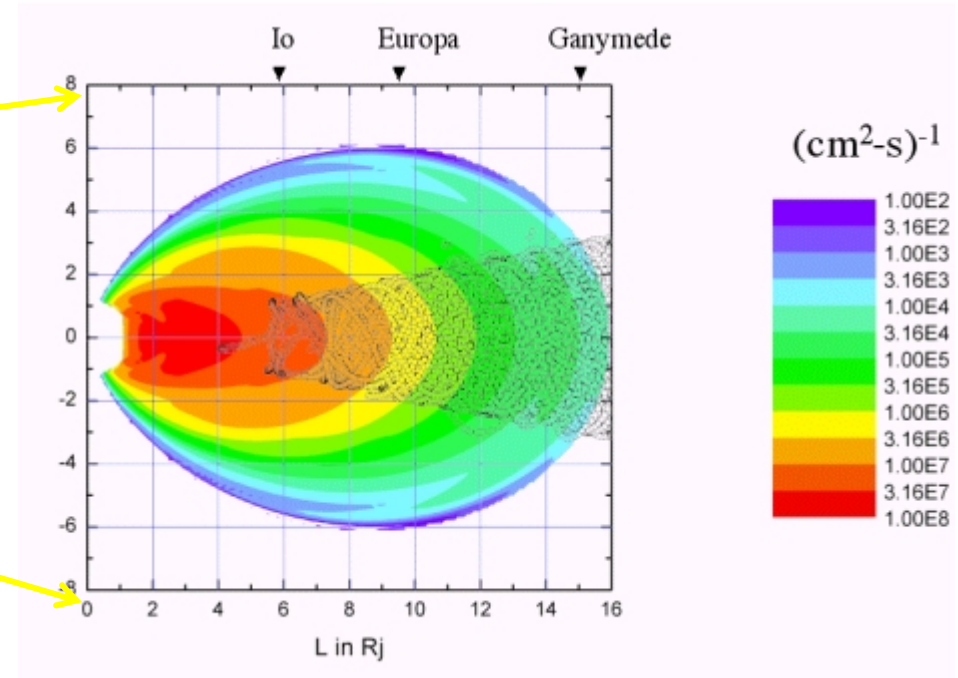
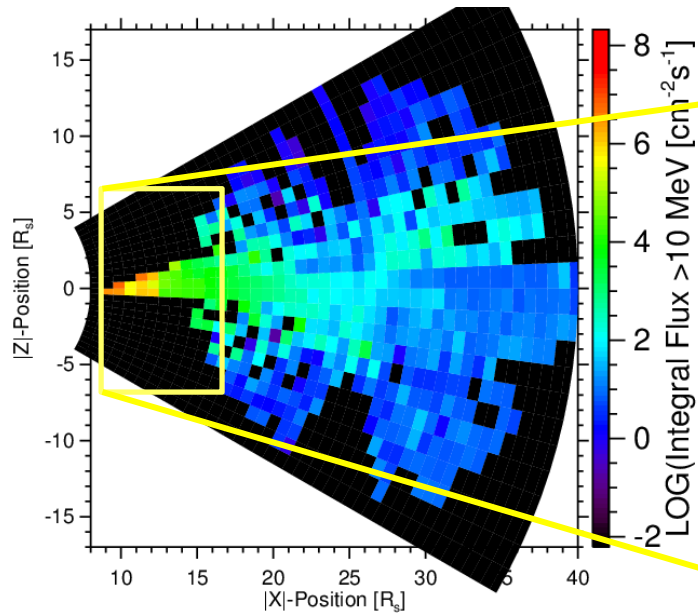
HPEM sample results (JUICE)



HPEM sample results (JUICE)



HPEM: averaging over the JUICE orbit



Summary



- New Jupiter environment models (CPEM and HPEM) for cold plasma and energetic electrons
- Applicable for regions that will be visited by JUICE
- Suitable for describing time variations in the system
- Current status: testing/validation and implementation in JCAT charging codes